

Lecture #2:

◎ PSR, PSI Concept

Pavement Serviceability-Performance
Concept

Present Serviceability Rating (PSR), 0-5
V. Good - Good - Fair - Poor - Very Poor
(User's Rating - Subjective)

Table 1 - 74 Selected Flexible Pavements

Table 2 - 49 Selected Rigid Pavements

Need to Develop PSI equation:

$$PSI = 5.03 - 1.91 \log(1 + SV) - 1.38RD^2 - 0.01\sqrt{C + P}$$

$$PSI = 5.41 - 1.80 \log(1 + SV) - 0.09\sqrt{C + P}$$

PSI = F(SV, RD, C+P) for FLEX

PSI = F(SV, C+P) for Rigid

Handouts:

Carey, W. N., and P. E. Irick, "The
Pavement Serviceability-Performance
Concept," Highway Research Board,
Bulletin No, 250, 1960.

Acceptable ?		5 Very Good 4 Good 3 Fair 2 Poor 1 Very Poor 0
Yes	<input type="checkbox"/>	
No	<input type="checkbox"/>	
Undecided	<input type="checkbox"/>	
Section Identification _____		Rating _____
Rater _____	Date _____	Time _____ Vehicle _____

Figure 1. Individual present serviceability rating form.

Measurements for Selected Pavements

Following the acceptability opinion, Tables 1 and 2 give summary values for measurements made on the selected pavements. Measurements are shown in three categories—those that describe longitudinal and transverse roughness, those that summarize surface cracking and, finally, a measurement of the patched area found in the section.

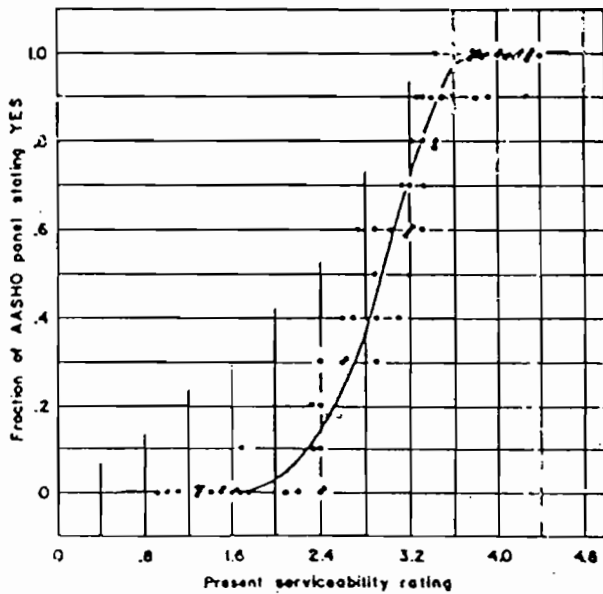


Figure 2. Acceptability vs present serviceability rating; 74 flexible pavements.

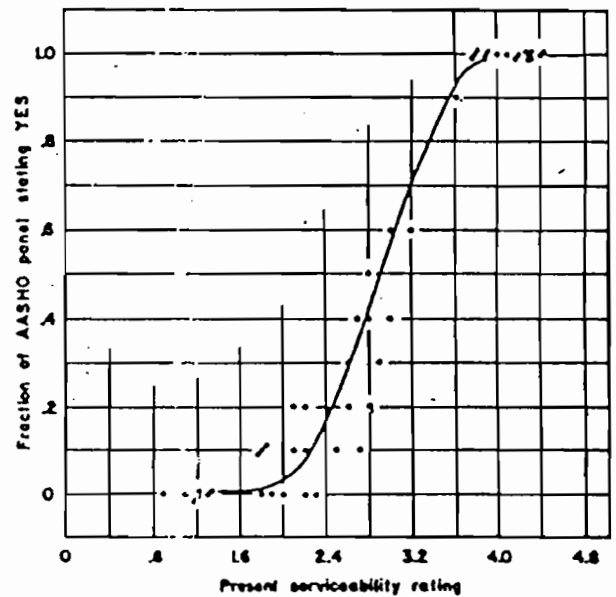


Figure 3. Acceptability vs present serviceability rating; 49 rigid pavements.

of 2 diff. units!

TABLE 1
DATA FOR 74 SELECTED FLEXIBLE PAVEMENTS

Table with columns: Pvt. Loc., Sect. Code, Present Serviceability Ratings (AASHO Panel, Truck, Canad.), Acceptability Opinions (AASHO Panel), Longitudinal and Transverse Roughness (SV, AR, RD, RDV), Major Cracking (Class 2+, Long. B, P), Patching (P), Transformations (Log, RD^2, Sq. rt.), PSI (I2I), Resid. (Diff. PSR & PSI). Rows include various site codes like F 3, 101, 301, 501, 521, 522, 523, 524.

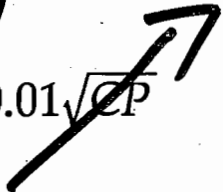
*Obtained from Unrounded Calculations

Summary statistics table with 3 rows and 3 columns: Sum of Products with PSR, Sum of Products with log(1+SV), Sum of Products with RD^2.

PSI I2I = 5.03 - 1.91 log(1+SV) - 1.38RD^2 - .01 sqrt(CP)

ORIGINAL AASHO FLEXIBLE PSI EQUATION

$$PSI = 5.03 - 1.92 \log_{10}(1 + SV) - 1.39 RD^2 - 0.01 \sqrt{CP}$$

log(RDV) 

Note:

PSI = mean panel serviceability rating, (0 - 5);

SV = mean slope variance obtained by CHOLE profilometer in wheel paths (in./in. $\times 10^6$);

RDV = mean rut depth variance (in.² $\times 100$);

RD = mean rut depth (in.);

CP = total cracking plus patching.

Statistics:

$$R^2 = 0.84, \text{ SEE} = 0.39, \text{ N} = 74, \text{ CV} = 13.3\%$$

$$\text{Variance} = \frac{\sum (X_i - \bar{X})^2}{n-1} = \frac{\sum X_i^2 - \frac{1}{n} (\sum X_i)^2}{n-1}$$

$$\text{S.d.} = \sqrt{\text{Variance}}$$

$$\text{C.V.} = \frac{\text{S.d.}}{\bar{X}}$$

WEIGHTED FLEXIBLE PAVEMENT EQUATIONS

FROM AASHO ROAD TEST:

$$\log_{10} W = \log_{10} \rho + \frac{\log_{10} \left(\frac{4.2 - P}{2.7} \right)}{\beta}$$

$$\beta = 0.4 + \frac{0.081 (L_1 + L_2)^{3.23}}{(D + 1)^{5.19} L_2^{3.23}}$$

$$\rho = \frac{10^{5.93} (D + 1)^{9.36} L_2^{4.33}}{(L_1 + L_2)^{4.79}}$$

$$D = 0.44D_1 + 0.14D_2 + 0.11D_3$$

Where the Statistics for $\log_{10} W$ Equation:

$$R^2 = 0.70, \text{ SEE} = 0.31, N = 1171$$

Mean Replicate Difference of $\log_{10} W = 0.17$ (n = 126)

(Note: Load Applications Were Adjusted by Seasonal Weighting Function)

Ref: Highway Research Board, "The AASHO Road Test," Report 5, Pavement Research, Special Report 61E, Publication No. 954, National Academy of Sciences - National Research Council, Washington, D.C., 1962.

Loop 1										Loop 2										Loop 3										Loop 4										Loop 5										Loop 6									
Axle Load										Axle Load										Axle Load										Axle Load										Axle Load										Axle Load									
Lane 1					Lane 2					Lane 1					Lane 2					Lane 1					Lane 2					Lane 1					Lane 2					Lane 1					Lane 2														
None					None					2,000-S					6,000-S					12,000-S					24,000-T					18,000-S					32,000-T					22,400-S					40,000-T					30,000-S					48,000-T				
Main Factorial Design Design 1										Main Factorial Design Design 1										Main Factorial Design Design 1										Main Factorial Design Design 1										Main Factorial Design Design 1										Main Factorial Design Design 1									
Surface Thickness	Base Thickness	Subbase Thickness	Test Section No.		Surface Thickness	Base Thickness	Subbase Thickness	Test Section No.		Surface Thickness	Base Thickness	Subbase Thickness	Factorial Block	Test Section No.		Surface Thickness	Base Thickness	Subbase Thickness	Factorial Block	Test Section No.		Surface Thickness	Base Thickness	Subbase Thickness	Factorial Block	Test Section No.		Surface Thickness	Base Thickness	Subbase Thickness	Factorial Block	Test Section No.																											
			Lane 1	Lane 2				Lane 1	Lane 2					Lane 1	Lane 2					Lane 1	Lane 2					Lane 1	Lane 2					Lane 1	Lane 2	Lane 1	Lane 2	Lane 1	Lane 2																						
1	0	0	857	858	1	0	0	721	722	2	0	0	165	166	3	0	4	1	633	634	4	0	4	1	485	486	5	0	8	2	451	452	6	0	8	2	299	300																					
		8	867	868			4	3	125			126	8	2			607	608	8	2			451	452	8	2			299	300																													
		16	833	834			8	2	143			144	12	3			571	572	16	1			317	318	12	3			429	430																													
		8	847	848			8	2	133			134	3	3			869	870	3	3			429	430	3	3			329	330																													
		0	827	828			4	3	113			114	4	2			599	600	4	2			449	450	4	2			303	304																													
	3	6	0	847	848	2	3	0	755		756	3	3	4		2	135	136	4	3		8	3	573	574	5		3	8	3	419	420		6	3	8	3	419	420	7	3	8	3	419	420														
			8	847	848			4	4		719			720		8	3	617				618	12	1	487				488	12	1	487				488																							
			16	839	840			0	4		729			730		4	3	585				586	4	3	413				414	4	3	321				322																							
			0	859	860			0	4		759			760		4	3	623				624	8	1	471				472	8	1	267				268																							
			8	863	864			0	4		731			732		8	3	111				112	12	2	441				442	16	2	309				310																							
5		0	0	869	870	3	3	0	759	760	4		0	4	1	157	158	5		0	4	3	583	584	6		0	4	3	411	412	7	0		4	3	411	412	8		0	4	3	411	412														
			8	869	870			0	4	741				742	0	2	127				128	8	1	617				618	8	1	481				482																								
			16	837	838			0	4	709				710	8	3	109				110	12	2	603				604	12	2	443				444																								
			0	825	826			0	4	775				776	8	3	109				110	4	1	627				628	4	1	473				474																								
			8	851	852			0	4	757				758	0	1	147				148	8	2	603				604	8	2	455				456																								
	6	6	8	875	876		4	6	4	737		738	5	3	4	3	107		108	6	3	8	2	589		590	7	3	8	2	455		456	8	3	8	2	455		456	9	3	8	2	455	456													
			16	821	822				0	3		115			116	8	2		597			598	12	3		575			576	12	3		425			426																							
			0	823	824				8	2		129			130	8	2		595			596	4	2		595			596	4	2		437			438																							
			8	865	866				8	2		117			118	4	2		577			578	8	3		577			578	8	3		417			418																							
			16	877	878				0	3		131			132	12	1		625			626	12	1		625			626	12	1		477			478																							
8		0	0	871	872	4		0	0	749	750	5		0	0	3	119	120	6		0	0	3	587	588	7		0	0	3	421	422	8		0	0	3	421	422	9		0	0	3	421	422													
			8	849	850				0	4	745				746	4	2	141				142	8	3	587				588	8	3	421				422																							
			16	879	880				0	4	749				750	8	3	119				120	12	1	621				622	12	1	479				480																							
			0	873	874				0	4	763				764	8	3	119				120	4	3	579				580	4	3	423				424																							
			8	873	874				0	4	763				764	0	2	145				146	4	3	579				580	4	3	423				424																							
	9	0	0	873	874		5	0	0	733	734		6	0	0	2	153	154		7	0	0	2	631	632		8	0	0	2	469	470		9	0	0	2	469	470																				
			8	865	866				0	2	145				146	0	1	631				632	8	1	469				470	8	1	469				470																							
			16	877	878				0	2	141				142	0	1	629				630	12	2	445				446	12	2	445				446																							
			0	871	872				0	2	141				142	0	1	615				616	4	1	475				476	4	1	475				476																							
			8	849	850				0	2	141				142	0	1	615				616	8	2	447				448	8	2	447				448																							
10		0	0	873	874	6		0	0	733	734	7		0	0	2	153	154	8		0	0	2	631	632	9		0	0	2	469	470	10		0	0	2	469	470																				
			8	865	866				0	2	145				146	0	1	629				630	12	2	445				446	12	2	445				446																							
			16	877	878				0	2	141				142	0	1	615				616	4	1	475				476	4	1	475				476																							
			0	871	872				0	2	141				142	0	1	615				616	8	2	447				448	8	2	447				448																							
			8	849	850				0	2	141				142	0	1	615				616	12	3	427				428	12	3	427				428																							
	11	0	0	873	874		7	0	0	733	734		8	0	0	2	153	154		9	0	0	2	631	632		10	0	0	2	469	470		11	0	0	2	469	470																				
			8	865	866				0	2	145				146	0	1	629				630	12	2	445				446	12	2	445				446																							
			16	877	878				0	2	141				142	0	1	615				616	4	1	475				476	4	1	475				476																							
			0	871	872				0	2	141				142	0	1	615				616	8	2	447				448	8	2	447				448																							
			8	849	850				0	2	141				142	0	1	615				616	12	3	427				428	12	3	427				428																							

Note: Shaded sections are replicates

Table 2 Designs for Flexible Pavement Experiments

Base Type	Surface Thickness	Base Thickness	Subbase Thickness	Test Section No.	
				Lane 1	Lane 2
Crush Stone	3	2-14	0	169	170
				105	106
Gravel	3	2-14	0	171	172
				103	104

Base Type	Surface Thickness	Base Thickness	Subbase Thickness	Test Section No.	
				Lane 1	Lane 2
Crush Stone	3	2-16	4	567	568
				561	562
Gravel	3	2-16	4	565	566

Base Type	Surface Thickness	Base Thickness	Subbase Thickness	Test Section No.	
				Lane 1	Lane 2
Gravel	3	3-18	4	467	468
				457	458
Bit	3	3-18	4	463	464

Base Type	Surface Thickness	Base Thickness	Subbase Thickness	Test Section No.	
				Lane 1	Lane 2
Crush Stone	4	3-19	8	287	288
				279	280
Bit	4	3-19	8	285	286

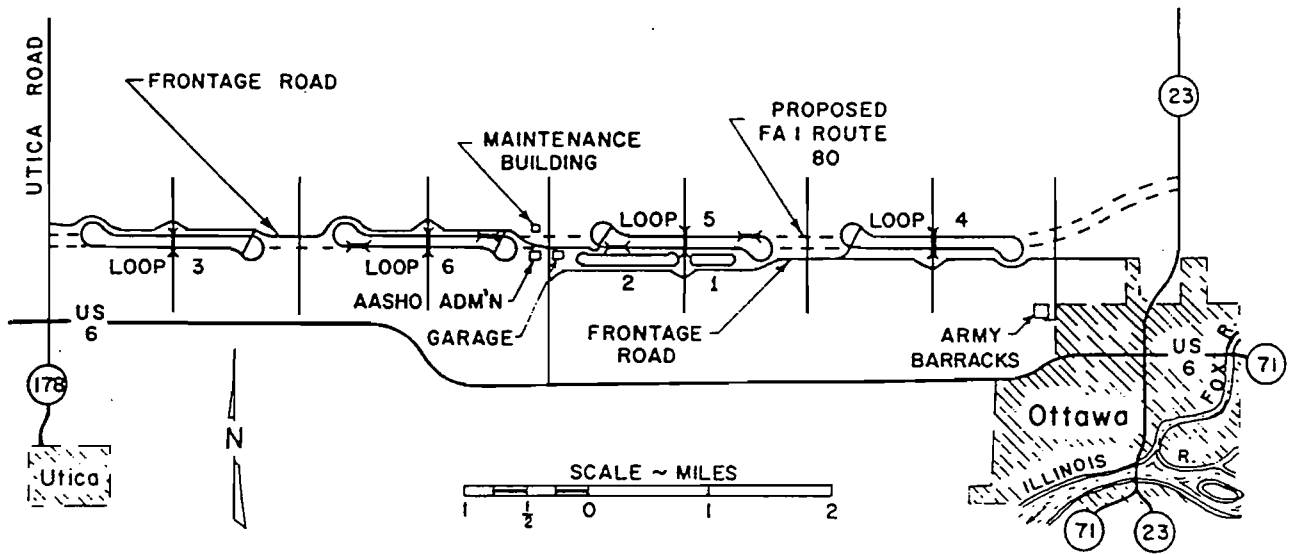


Figure 2. Layout of AASHO Road Test.

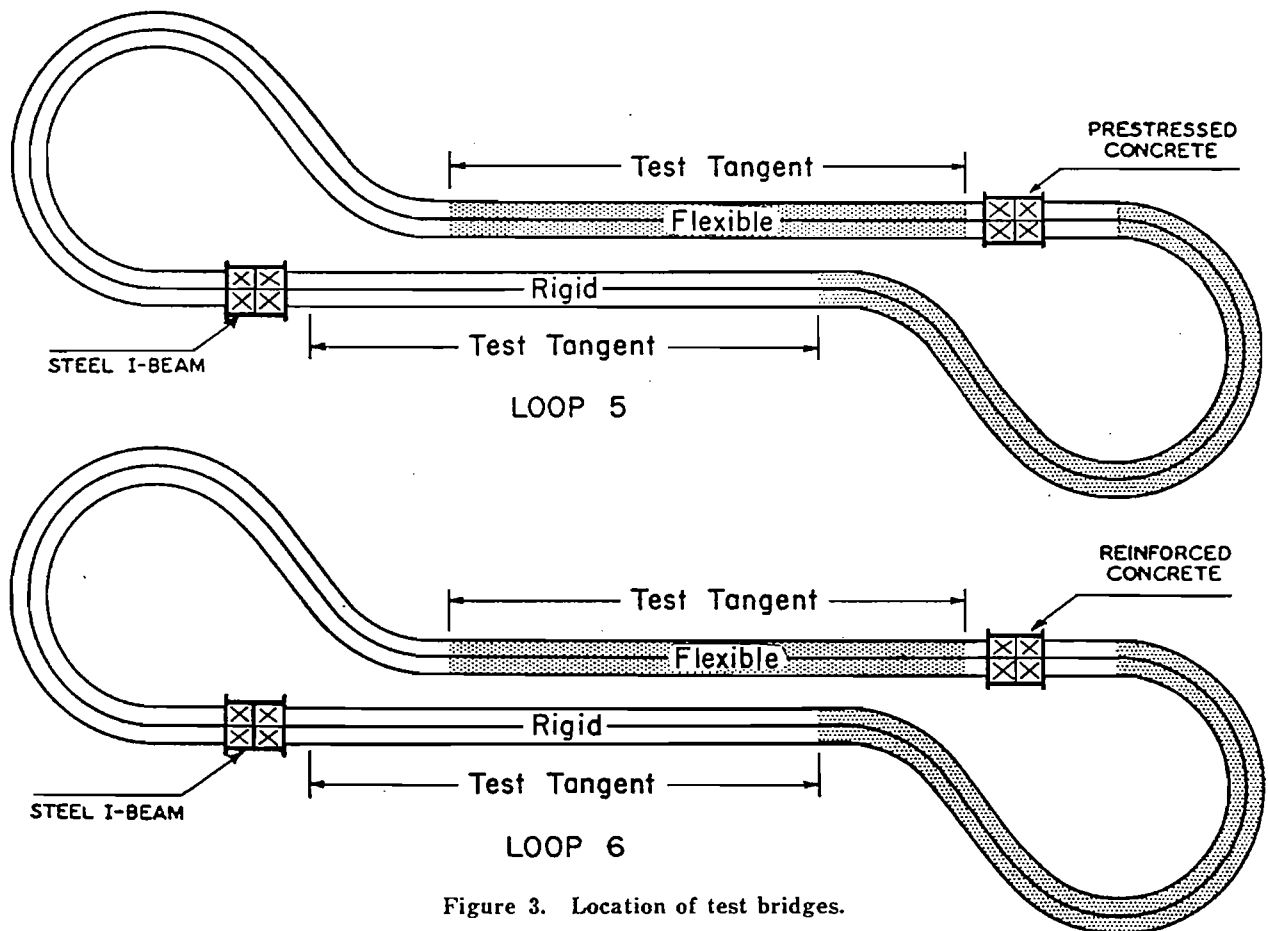


Figure 3. Location of test bridges.

Table 3-2.1 Axle Weights and Distributions Used on Various Loops of the AASHO Road Test (5).

LOOP LANE

WEIGHT IN KIPS

		FRONT AXLE	LOAD AXLE	GROSS WEIGHT
②	①	2	2	4
	②	2	6	8
③	①	4	12	28
	②	6	24	54
④	①	6	18	42
	②	9	32	73
⑤	①	6	22.4	51
	②	9	40	89
⑥	①	9	30	69
	②	12	48	108

Loop 4						
Axle Load						
Lane 1			Lane 2			
18,000-S			32,000-T			
Main Factorial Design Design 1						
Surface Thickness	Base Thickness	Subbase Thickness	Factorial Block	Test Section No.		
				Lane 1	Lane 2	
3	0	4	1	633	634	
		8	2	607	608	
		12	3	571	572	
	3	3	4	3	569	570
			8	2	599	600
			12	3	573	574
	6	6	4	1	617	618
			8	3	585	586
			12	1	623	624
4	0	4	2	601	602	
		8	3	583	584	
		12	1	619	620	
	3	3	4	2	603	604
			8	1	627	628
			12	3	589	590
	6	6	4	2	597	598
			8	3	575	576
			12	1	595	596
5	0	4	2	577	578	
		8	3	605	606	
		12	1	587	588	
	3	3	4	3	621	622
			8	1	579	580
			12	2	631	632
	6	6	4	1	593	594
			8	3	629	630
			12	1	615	616
12	12	4	2	591	592	
		8	3	581	582	
		12	1			

Figure 1-2.1. Pavement Sections Constructed on Loop 4 of the AASHO Road Test.

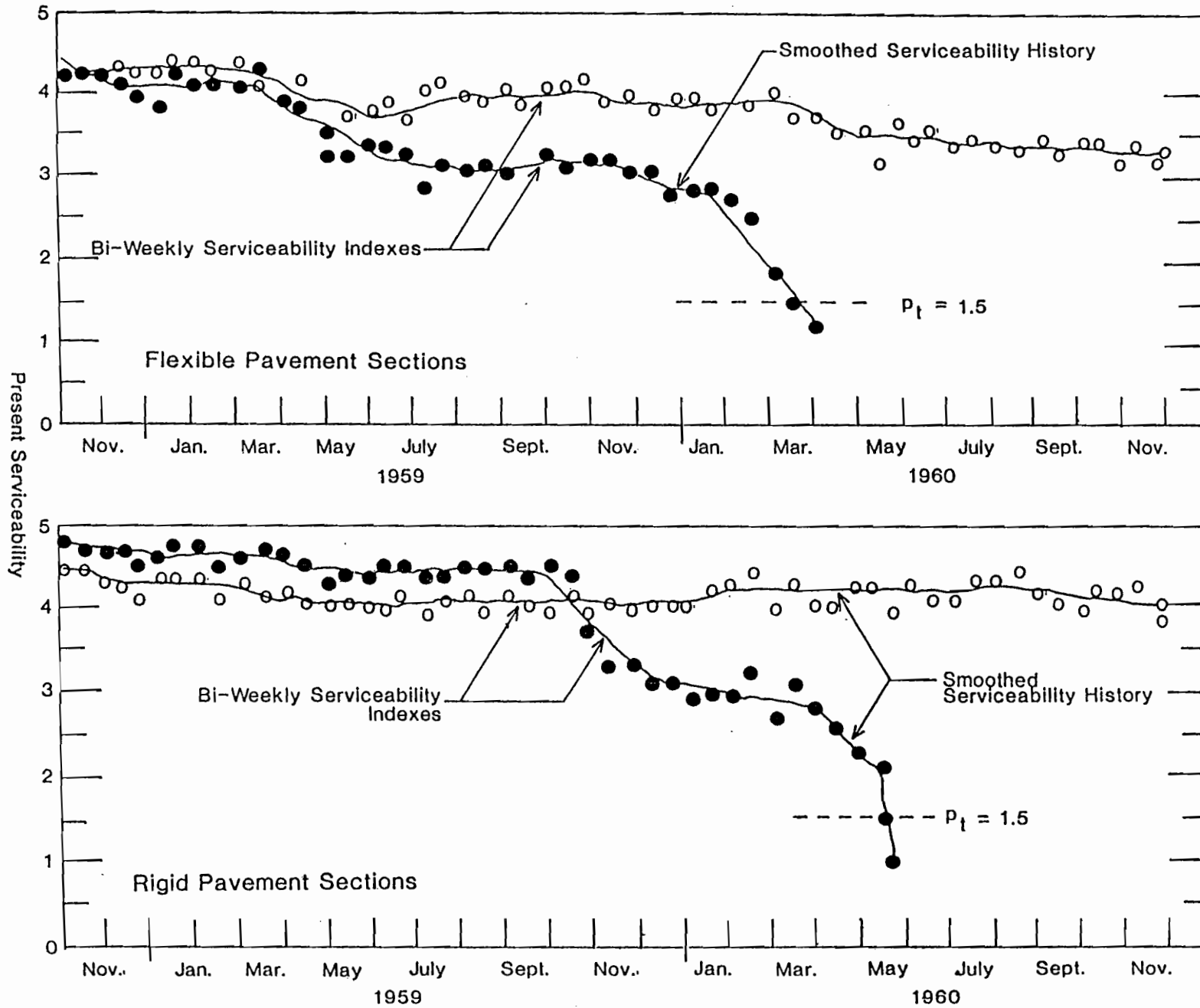


Figure 1-2.2. Typical Serviceability Histories from the AASHO Road Test.

TYPICAL EXAMPLES OF PREDICTION MODELS

1. AASHO ROAD TEST:

$$g = \frac{P_i - P}{P_i - P_t} = \left(\frac{W}{\rho} \right)^\beta$$

Where:

g = "damage" index;

P_i, P_t, P = initial, terminal, and present serviceability indices (0-5), respectively;

W = number of standard loads, and;

ρ, β = functions of pavement thickness, strength, and axle load configurations.

2. NCHRP 1-19 PROJECT (COPES):

$$\begin{aligned} \text{DISTRESS} = & (\text{TRAFFIC OR AGE})^a * \\ & (b * \text{DESIGN}^c + d * \text{SUBGRADE}^e \\ & + f * \text{CLIMATE}^g + h * \text{MATERIALS}^i) \end{aligned}$$

WEIGHTED FLEXIBLE PAVEMENT EQUATIONS

FROM THE AASHO ROAD TEST:

$$\log_{10} W = \log_{10} \rho + \frac{\log_{10} \left(\frac{4.2 - P}{2.7} \right)}{\beta}$$

$$\beta = 0.4 + \frac{0.081 (L_1 + L_2)^{3.23}}{(D + 1)^{5.19} L_2^{3.23}}$$

$$\rho = \frac{10^{5.93} (D + 1)^{9.36} L_2^{4.33}}{(L_1 + L_2)^{4.79}}$$

$$D = 0.44D_1 + 0.14D_2 + 0.11D_3$$

Statistics:

For Predicting $\log_{10} W$: $R^2 = 0.70$, $SEE = 0.31$, $N = 1171$

(Mean Replicate Difference of $\log_{10} W = 0.17$, $n = 126$)

For Predicting W : $R^2 = 0.61$, $SEE = 155.3$, $N = 1171$

For Predicting PSI : $R^2 = 0.21$, $SEE = 0.62$, $N = 1083$

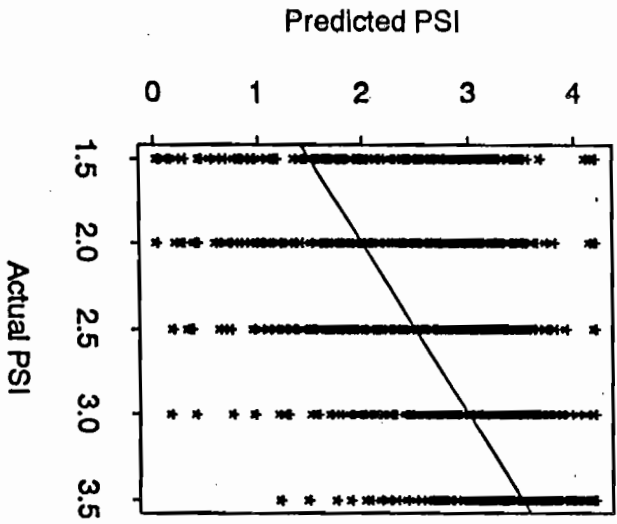
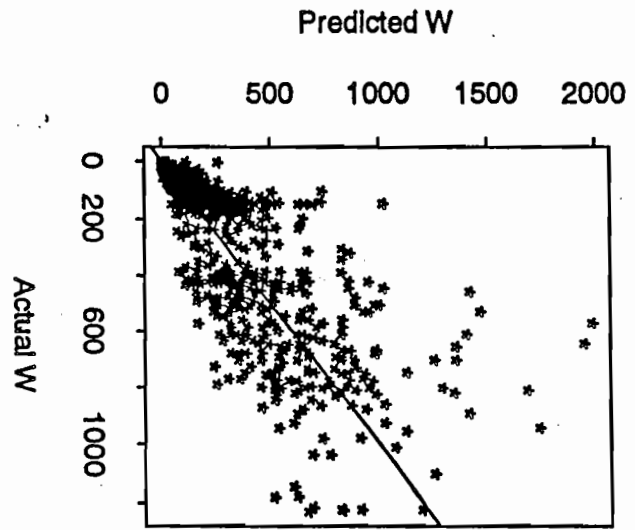
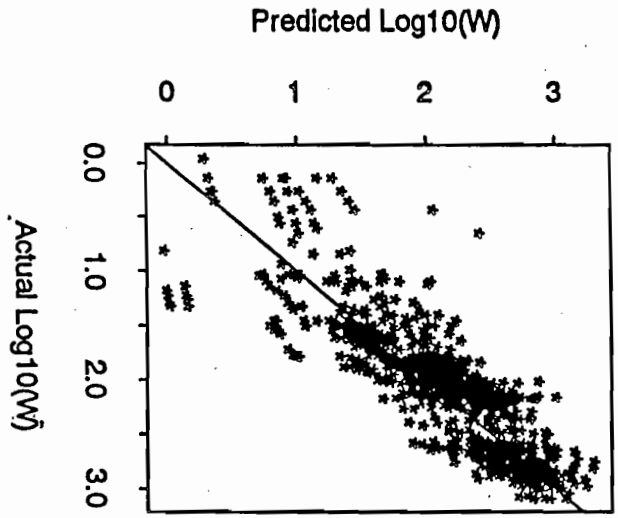


Figure 2.7 - Predicted versus Actual $\log_{10}(W)$, W , and PSI Plots

Table D.5. Axle load equivalency factors for flexible pavements, tandem axles and p of 2.6. Table D.6. Axle load equivalency factors for flexible pavements, trip axles and p of 2.6.

Table D.4. Axle load equivalency factors for flexible pavements, single axles and p, 2.6.

Axle Load (kips)	Pavement Structural Number (SN)					
	1	2	3	4	5	6
2	.0004	.0004	.0003	.0002	.0002	.0002
4	.003	.004	.004	.003	.002	.002
6	.011	.017	.017	.013	.010	.009
8	.032	.047	.051	.041	.034	.031
10	.078	.102	.118	.102	.088	.080
12	.168	.198	.229	.213	.189	.176
14	.328	.358	.399	.388	.360	.342
16	.591	.613	.646	.645	.623	.606
18	1.00	1.00	1.00	1.00	1.00	1.00
20	1.61	1.57	1.49	1.47	1.51	1.55
22	2.48	2.38	2.17	2.09	2.18	2.30
24	3.69	3.49	3.09	2.89	3.03	3.27
26	5.33	4.99	4.31	3.91	4.09	4.48
28	7.49	6.98	5.90	5.21	5.39	5.98
30	10.3	9.5	7.9	6.8	7.0	7.8
32	13.9	12.8	10.5	8.8	8.9	10.0
34	18.4	16.9	13.7	11.3	11.2	12.5
36	24.0	22.0	17.7	14.4	13.9	15.5
38	30.9	28.3	22.6	18.1	17.2	19.0
40	39.3	35.9	28.5	22.5	21.1	23.0
42	49.3	45.0	35.6	27.8	26.6	27.7
44	61.3	55.9	44.0	34.0	31.0	33.1
46	75.5	68.8	54.0	41.4	37.2	39.3
48	92.2	83.9	65.7	50.1	44.5	46.5
50	112.	102.	79.	60.	53.	56.

Axle Load (kips)	Pavement Structural Number (SN)					
	1	2	3	4	5	6
2	.0001	.0001	.0001	.0000	.0000	.0000
4	.0005	.0005	.0004	.0003	.0003	.0002
6	.002	.002	.002	.001	.001	.001
8	.004	.006	.005	.004	.003	.003
10	.008	.013	.011	.009	.007	.006
12	.015	.024	.023	.018	.014	.013
14	.026	.041	.042	.033	.027	.024
16	.044	.065	.070	.057	.047	.043
18	.070	.097	.109	.092	.077	.070
20	.107	.141	.162	.141	.121	.110
22	.160	.198	.229	.207	.180	.166
24	.231	.273	.315	.292	.260	.242
26	.327	.370	.420	.401	.364	.342
28	.451	.493	.548	.534	.495	.470
30	.611	.648	.703	.695	.658	.633
32	.813	.843	.889	.887	.857	.834
34	1.06	1.08	1.11	1.11	1.09	1.08
36	1.38	1.38	1.38	1.38	1.38	1.38
38	1.75	1.73	1.69	1.68	1.70	1.73
40	2.21	2.16	2.06	2.03	2.08	2.14
42	2.76	2.67	2.49	2.43	2.51	2.61
44	3.41	3.27	2.99	2.88	3.00	3.16
46	4.18	3.98	3.58	3.40	3.55	3.79
48	5.08	4.80	4.25	3.98	4.17	4.49
50	6.12	5.76	5.03	4.64	4.86	5.28
52	7.33	6.87	5.93	5.38	5.63	6.17
54	8.72	8.14	6.95	6.22	6.47	7.15
56	10.3	9.6	8.1	7.2	7.4	8.2
58	12.1	11.3	9.4	8.2	8.4	9.4
60	14.2	13.1	10.9	9.4	9.6	10.7
62	16.5	15.3	12.6	10.7	10.8	12.1
64	19.1	17.6	14.5	12.2	12.2	13.7
66	22.1	20.3	16.6	13.8	13.7	15.4
68	25.3	23.3	18.9	15.6	15.4	17.2
70	29.0	26.6	21.5	17.6	17.2	19.2
72	33.0	30.3	24.4	19.8	19.2	21.3
74	37.5	34.4	27.6	22.2	21.3	23.6
76	42.5	38.9	31.1	24.8	23.7	26.1
78	48.0	43.9	35.0	27.8	26.2	28.8
80	54.0	49.4	39.2	30.9	29.0	31.7
82	60.6	55.4	43.9	34.4	32.0	34.8
84	67.8	61.9	49.0	38.2	35.3	38.1
86	75.7	69.1	54.5	42.3	38.8	41.7
88	84.3	76.9	60.6	46.8	42.6	45.6
90	93.7	85.4	67.1	51.7	46.8	49.7

Axle Load (kips)	Pavement Structural Number (SN)					
	1	2	3	4	5	6
2	.0000	.0000	.0000	.0000	.0000	.000
4	.0002	.0002	.0002	.0001	.0001	.000
6	.0006	.0007	.0005	.0004	.0003	.000
8	.001	.002	.001	.001	.001	.001
10	.003	.004	.003	.002	.002	.002
12	.005	.007	.006	.004	.003	.003
14	.008	.012	.010	.008	.006	.006
16	.012	.019	.018	.013	.011	.010
18	.018	.029	.028	.021	.017	.016
20	.027	.042	.042	.032	.027	.024
22	.038	.058	.060	.048	.040	.036
24	.053	.078	.084	.068	.057	.051
26	.072	.103	.114	.095	.080	.072
28	.098	.133	.151	.128	.109	.099
30	.129	.169	.195	.170	.145	.133
32	.169	.213	.247	.220	.191	.175
34	.219	.266	.308	.281	.246	.228
36	.279	.329	.379	.352	.313	.292
38	.352	.403	.461	.436	.393	.368
40	.439	.491	.554	.533	.487	.459
42	.543	.594	.661	.644	.597	.567
44	.666	.714	.781	.769	.723	.692
46	.811	.854	.918	.911	.868	.838
48	.979	1.015	1.072	1.069	1.033	1.005
50	1.17	1.20	1.24	1.25	1.22	1.20
52	1.40	1.41	1.44	1.44	1.43	1.41
54	1.66	1.66	1.66	1.66	1.66	1.66
56	1.95	1.93	1.90	1.90	1.91	1.93
58	2.29	2.25	2.17	2.16	2.20	2.24
60	2.67	2.60	2.48	2.44	2.51	2.58
62	3.09	3.00	2.82	2.76	2.85	2.95
64	3.57	3.44	3.19	3.10	3.22	3.36
66	4.11	3.94	3.61	3.47	3.62	3.81
68	4.71	4.49	4.06	3.88	4.05	4.30
70	5.38	5.11	4.57	4.32	4.52	4.84
72	6.12	5.79	5.13	4.80	5.03	5.41
74	6.93	6.54	5.74	5.32	5.57	6.04
76	7.84	7.37	6.41	5.88	6.15	6.71
78	8.83	8.28	7.14	6.49	6.78	7.43
80	9.92	9.28	7.95	7.15	7.45	8.21
82	11.1	10.4	8.8	7.9	8.2	9.0
84	12.4	11.6	9.8	8.5	8.9	9.9
86	13.8	12.9	10.8	9.5	9.8	10.9
88	15.4	14.3	11.9	10.4	10.6	11.9
90	17.1	15.8	13.2	11.3	11.6	12.3

Figure 6. AASHTO Load Equivalency Factors for Flexible Pavement (2).

Axle Load	Traffic Equivalency Factor		Number of Axles		A18 Kip EAL's	
<hr/>						
Single Axles	P = 2.5, SN = 5					
Under 3,000	0.0002	X	0	=	0.000	
3,000 - 6,999	0.0050	X	1	=	0.005	
7,000 - 7,999	0.0320	X	6	=	0.192	
8,000 - 11,999	0.0870	X	144	=	12.528	
12,000 - 15,999	0.3600	X	16	=	5.760	
26,000 - 29,999	5.3890	X	1	=	5.3890	
Tandem Axle Groups						
Under 6,000	0.0100	X	0	=	0.000	
6,000 - 11,993	0.0100	X	14	=	0.140	
12,000 - 17,999	0.0440	X	21	=	0.924	
18,000 - 23,999	0.1480	X	44	=	6.512	
24,000 - 29,999	0.4260	X	42	=	17.892	
30,000 - 32,000	0.7530	X	44	=	33.132	
32,001 - 32,500	0.8850	X	21	=	18.585	
32,501 - 33,999	1.0020	X	101	=	101.202	
34,000 - 35,999	1.2300	X	43	=	52.890	
18 Kip EAL's for all trucks weighed					=	255.151
$\text{Truck Load Factor} = \frac{18 \text{ Kip EAL's for all trucks weighed}}{\text{Number of trucks weighed } 1654} = \frac{255.151}{165} = 1.5464$						

Figure 10. Computation of the Truck Load Factor for 5-Axle or Greater Trucks on Flexible Pavement (2).

One-Way ADT	2 Lanes (One-Direction)		3+ Lanes (One-Direction)		
	Inner	Outer	Inner*	Center	Outer
2,000	6**	94	6	12	82
4,000	12	88	6	18	76
6,000	15	85	7	21	72
8,000	18	82	7	23	70
10,000	19	81	7	25	68
15,000	23	77	7	28	65
20,000	25	75	7	30	63
25,000	27	73	7	32	61
30,000	28	72	8	33	59
35,000	30	70	8	34	58
40,000	31	69	8	35	57
50,000	33	67	8	37	55
60,000	34	66	8	39	53
70,000	--	--	8	40	52
80,000	--	--	8	41	51
100,000	--	--	9	42	49

* Combined inner one or more lanes.

** Percent of all trucks in one direction (note that the proportion of trucks in one direction sums to 100 percent).

Figure 5. Truck Distribution for Multiple-Lane Highways
(129 Counts in 6 States, 1982-83) (6).

◎ AASHO Road Test
Brief Description of the AASHO Road
Test (1958-1960)

Handouts:

Highway Research Board, "The AASHO
Road Test," Report 5, Pavement
Research, Special Report 61E,
Publication No. 954, National Research
Council, Washington, D.C., 1962.

- ◎ ESAL Concept and Calculations
- Development of the AASHTO Equations
for Flexible and Rigid Pavements
 - ESAL Concept
18-Kip ESAL, 18仟磅單軸軸重當量數
 - ESAL Calculation
$$ESAL = 365 * (ADT) * (\%TRK) * (DD) * \\ (LD) * (TF) * ((1+g)^n - 1) / g$$

Handouts:

(Same as above)

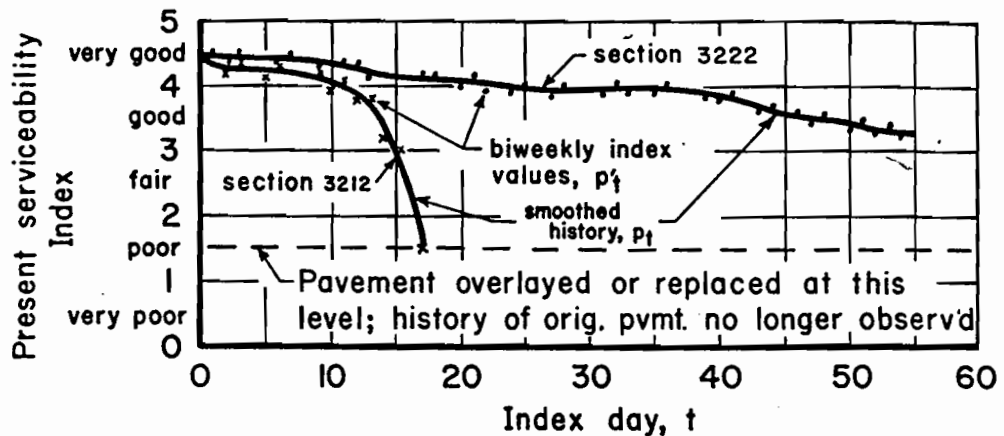


Figure 1-G. Present serviceability histories for two illustrative pavement sections.

Although theories* and procedures exist for dealing with mixtures of axle loads, reference in this paper to any particular number of applications implies that each application represents the same axle weight. For the illustration, Figure 2-G gives both the number of axle load applications between successive index days and the accumulated number of applications for any index day. The respective notation for these two quantities is n_t and N_t . If more than one traffic lane is represented by n_t and N_t , it is assumed that lane to lane variation in n_t is negligible and n_t is averaged for all lanes before the accumulation, N_t . Whenever it is necessary to evaluate accumulated applications between index days, linear interpolation is performed between successive values of N_t .

Before specifications are given for performance data, one more history is discussed—a history that is associated with the general state of environmental conditions at any particular time. This history is called a seasonal weight-

ing function. Relative to a specified norm, or base, it may be supposed that the conditions at any time or location are either normal, better than normal, or worse than normal. It is considered that the seasonal weighting function reflects serviceability loss potential, and that any particular section may or may not lose serviceability during a period when the weighting function is high. No specific formula for a weighting function will be given in this paper, but it is supposed that such a formula has been evolved to give values, q_t , for every index period (Fig. 3-G). This function presumably depends in general on changes in moisture-temperature states, and has the value $q_t = 1.0$ for normal conditions. A value of zero is considered to be a lower bound at which no serviceability-loss potential exists for any pavement-load combination.

The seasonal weighting function (Fig. 3-G) averages about 1.0, so that environmental conditions for the two years average normal even though there is much seasonal variation. Relative to the selected location, this index might not average 1.0 at a second location, whether

* Scrivner, F. H., "A Theory for Transforming the AASHO Road Test Pavement Performance Equations to Equations Involving Mixed Traffic." HRB Special Report 66 (1961).

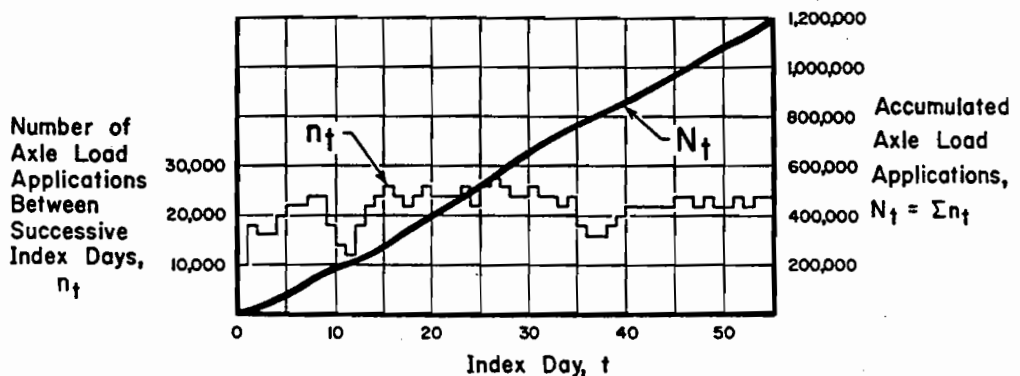


Figure 2-G. Axle load application history for the illustration.

relation indexes are given as 0.48 and 0.70 for unweighted and weighted applications, respectively, and corresponding root mean square residuals are 0.36 and 0.31.

The general nature of the over-all $\Delta \log W$ distribution (except for Loop 2, lane 1) is indicated by the fact that about 60 percent of all $\Delta \log W$ is contained within one mean absolute residual and about 90 percent within two mean absolute residuals. The distributions support the statement that in about nine out of ten cases, observations agree with corresponding performance equation estimates to within plus or minus two mean residuals. In other words there is approximately 90 percent confidence (Table 11 includes root mean square residuals, twice whose value can be used to set limits with approximately 95 percent confidence.) that $\log W$ will be observed between $\log \hat{W} \pm 0.54$ for unweighted applications and between $\log \hat{W} \pm 0.46$ for weighted applications. In terms of the thickness index, \bar{D} , these bands correspond approximately to $\bar{D} \pm 0.14 (\bar{D} + 1)$ for unweighted applications and to $\bar{D} \pm 0.11 (\bar{D} + 1)$ for weighted applications, where \bar{D} is obtained by entering the appropriate performance equation (or curve) with fixed W and calculating D . For relatively heavy designs, the uncertainty represented by two mean residuals in $\log W$ is approximately $0.18\bar{D}$ using the unweighted applications formulas and approximately $0.14\bar{D}$ using the weighted application formulas. All confidence limits such as these are relative to the Road Test conditions and range of variables.

The last part of Table 11 summarizes $\log W$ and p differences observed between replicate test sections. In all there were 32 pairs of replicate sections in Design 1, and the mean replicate difference is 0.46 for p , 0.15 for unweighted $\log W$ differences and 0.17 for weighted $\log W$ differences. In those pairs where one section was out of test before the second, replicate differences were provided at the missing points by assuming that the remaining differences would be as large as when the first section went out of test.

For whatever reasons two replicate sections do not show the same performance, it can be expected that the performance data will deviate from any fitted equation. For a particular lane a satisfactory model and fitting procedure should result in residuals that average about the same as deviations of replicate observations from their own mean. For two replicates, then, estimation errors should average to be about one-half the replicate differences if the fit is to be judged adequate. Since the performance equations were developed across lanes and loops it is expected that the average residual will be more than one-half the average replicate difference, but how much greater cannot be determined in the absence of replicate lanes and loops. In the Road Test performance analyses

it has been supposed that a satisfactory model and fit is indicated whenever mean absolute residuals are about equal to replicate mean differences. Table 11 gives this comparison for unweighted applications to be 0.53 vs 0.46 for p and 0.27 vs 0.15 for $\log W$. For weighted applications the comparison is 0.46 vs 0.46 for p and 0.23 vs 0.17 for $\log W$. It is quite possible that other models and fitting procedures may do equally well, and that some will represent better the long-time performance of highways in actual service.

2.2.2.1.1 Seasonal Weighting Function.—The concept of a seasonal weighting function to allow for changing load effects in a changing environment was discussed in Section 1.3.4. The weighting function, q_t , used in flexible pavement analyses is given by

$$q_t = \left[\frac{2d_t - d_{t-1}}{\bar{d}} \right]^2 \quad (23)$$

in which d_t is an estimate of the average deflection under a 6-kip wheel load of eight sections in Loop 1 (the non-traffic loop) during index period t . Deflections were generally taken twice during each index period and averaged, then a 3-point moving average was used to smooth the deflection history of the eight sections. The deflection d_{t-1} is the smoothed deflection for index period $t - 1$.

Division by \bar{d} , the 2-yr average of d_t , makes q_t a unitless factor and also makes the weighting function relative to the Road Test conditions. Whenever $d_t = d_{t-1} = \bar{d}$, then $q_t = 1$, so that the weighting function is unity if deflections in Loop 1 are unchanging and are at the 2-yr average value.

The exponent 2 in Eq. 23 has been assumed as an appropriate factor for increasing the amplitude of q_t in periods of high increasing deflection relative to periods of low constant deflection. Data and values for q_t are given in Appendix B.

In Table 11, the use of the seasonal weighting function increased the correlation index from 0.48 to 0.70 and reduced the mean residuals in $\log W$ from 0.27 to 0.23.

2.2.2.2 Paved Shoulder Studies.—A study of the effectiveness of paved shoulders (Design 2) was included in the Road Test. A total of 48 test sections was provided in this study.

Unfortunately, the pavements selected for the tests were underdesigned to the extent that 42 of the sections failed during the first spring of traffic operation and little information of value was disclosed by the experiment. An attempt was made to obtain additional information by studying the differences in performance of the outer and inner wheelpaths of the test sections of the main experiment.

The results of these studies pointed to the fact that the pavement needed to maintain a

or not the same seasonal variation occurred at the two locations.

For any index period, the product of the weighting function value with axle load application is assumed to be w_t , the number of weighted applications for the period; therefore, $w_t = q_t n_t$ can be obtained by multiplication of index day ordinates from Figures 2-G and 3-G. Also, W_t is assumed to be the accumulation of weighted axle load applications through any index day. Graphs for both w_t and W_t are shown in Figure 4-G. If the weighting function were taken to be 1.0 on every index day, then the curve in Figure 3-G would be horizontal at unit height, and Figure 4-G would be identical with Figure 2-G. Thus, N_t is a special case of W_t if q_t is always 1.0. In all the discussion that follows accumulated axle load applications are represented by W but any difference between W and N depends on the values prescribed for q_t .

All of the variables have values that are observed and computed at points in time. If smoothed serviceability values for a pavement section are plotted against accumulated axle applications rather than against time, the resultant curve is called the section's serviceability trend. Coordinates of points on the serviceability trend are denoted by p and W , and the trend of p with W is defined to be the pavement's performance. In other words, serviceability trends are considered to be performance curves that show how pavements are affected by applied loads.

Trend plots for the two sections of Figure 1-G are shown in Figure 5-G for the case when applications are not weighted; that is, when $v_t = 1$. Coordinates for the trend curves in Figure 5-G were obtained from ordinates of Figures 1-G and 2-G on common index days. Similarly Figure 6-G shows trend curves for the same sections when the seasonal weighting function of Figure 3-G is used to obtain W . That is, coordinates for Figure 6-G were obtained from ordinates of Figures 1-G and 4-G on common index days.

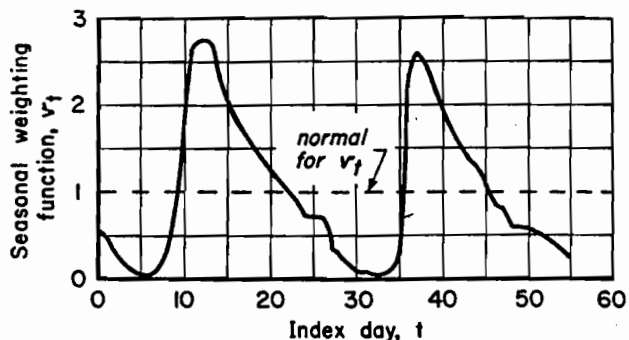


Figure 3-G. Seasonal weighting function.

Summarizing the definitions of the various serviceability-time-applications relationships:

Serviceability history is the plot of observed values of serviceability p_t' on a time scale;

Smoothed serviceability history is the plot of the 5-point moving average of the serviceability history values on a time scale and smoothed history values are designated by p_t ;

Serviceability trend is the plot of smoothed serviceability history values p on an accumulated axle application scale W where axle applications may be weighted or unweighted; and the

Performance of a pavement is given by its serviceability trend.

The final step in the specification of performance data is to assume that for numerical analysis a small number of pairs of coordinates from any trend curve can be selected to represent satisfactorily the curve. In the Road Test rationale five pairs of coordinates were selected from every trend. If the trend was complete (i.e., p had fallen to 1.5) then the trend was represented by five values that spanned the range of p . Specifically, W was noted when p was 3.5, 3.0, 2.5, 2.0, and 1.5. In the case of incomplete serviceability trends (p at the end of the Road Test was greater than 1.5) the observations were spanned by noting pairs of

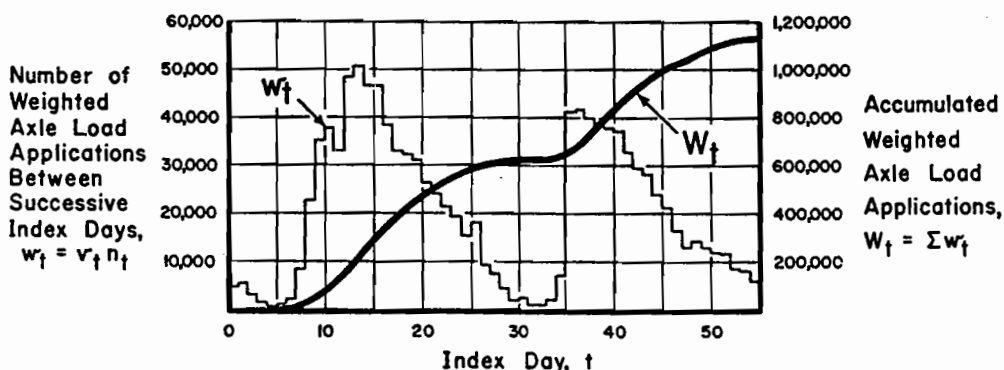


Figure 4-G. Weighted axle load applications for the illustration (seasonal weighting function from Fig. 3-G).

Truck Class	Percent Trucks									
	Interstate Rural		Other Rural		All Rural		All Urban		All Systems	
	Average	Range	Average	Range	Average	Range	Average	Range	Average	Range
Single-unit trucks										
2-axle, 4-tire	39	17-64	58	40-80	47	23-66	61	33-84	49	26-67
2-axle, 6-tire	10	5-15	11	4-18	10	4-16	13	4-26	11	5-20
3-axle or more	2	1-4	4	1-6	2	1-4	3	1-7	3	1-5
All single-units	51	30-71	73	50-88	59	36-77	77	55-94	63	36-81
Multiple unit trucks										
3-axle	1	<1-2	1	<1-3	1	1-3	1	<1-4	1	<1-2
4-axle	5	1-10	3	<1-8	4	1-10	4	1-13	4	1-10
5-axle or more**	43	24-59	23	8-40	36	16-57	18	5-37	32	15-56
All multiple-units	49	31-71	27	13-50	41	23-66	23	6-44	37	20-67
All trucks	100		100		100		100		100	

*Compiled from data supplied by the Highway Statistics Division, U.S. Federal Highway Administration.

**Including full-trailer combinations in some states.

Figure 2. Distribution of Trucks on Different Classes of Highways (3).

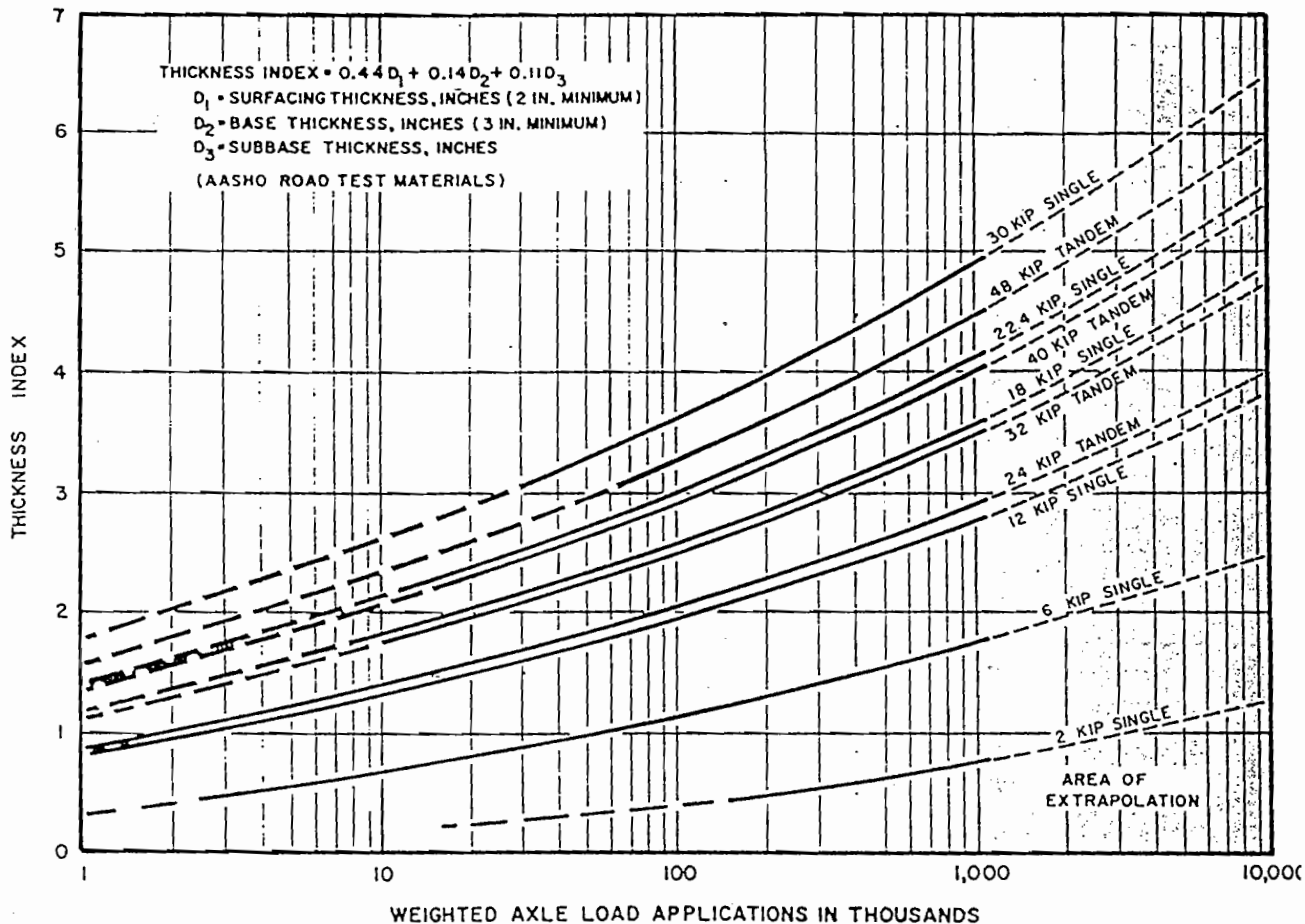


Figure 23. Main factorial experiment, relationship between design and axle load applications at $p = 1.5$ (from Road Test equations).

significant effects. Thus this and similar analyses of variance all pointed to the use of a thickness index as given by Eq. 16.

The third part of Tables 9 and 10 shows within loop estimates for a_1 , a_2 , and a_3 that were obtained from the variance analyses. Weighted averages of these estimates gave the values shown in Eqs. 19 and 22. The last part shows the results of within lane regression analyses that were used to determine values for A_1 in Eq. 15. In the logarithmic form, A_1 is the coefficient of $\log(a_1D_1 + a_2D_2 + a_3D_3 + 1)$, and estimates for this coefficient are shown for each lane at the bottom of the table. Weighted average values for A_1 are 9.36 and 8.94 for the two cases represented by Eqs. 18 and 21. The remaining constants in Eqs. 14 and 15 were determined by applying procedures described in Appendix G to the performance data of Appendix A.

If W represents weighted applications obtained through the use of seasonal weighting

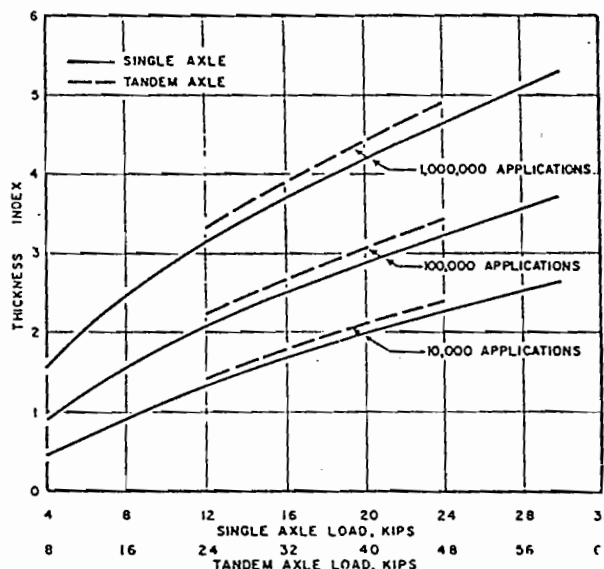


Figure 24. Main factorial experiment, relationship between design and load at $p = 2.5$.

GENERAL INFORMATION

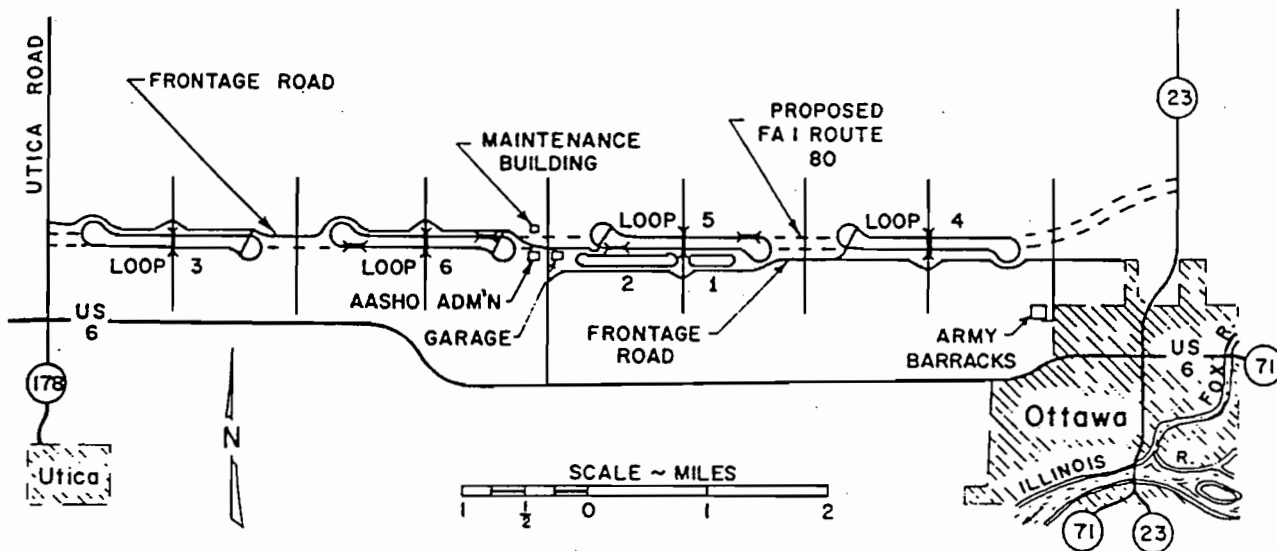


Figure 2. Layout of AASHO Road Test.

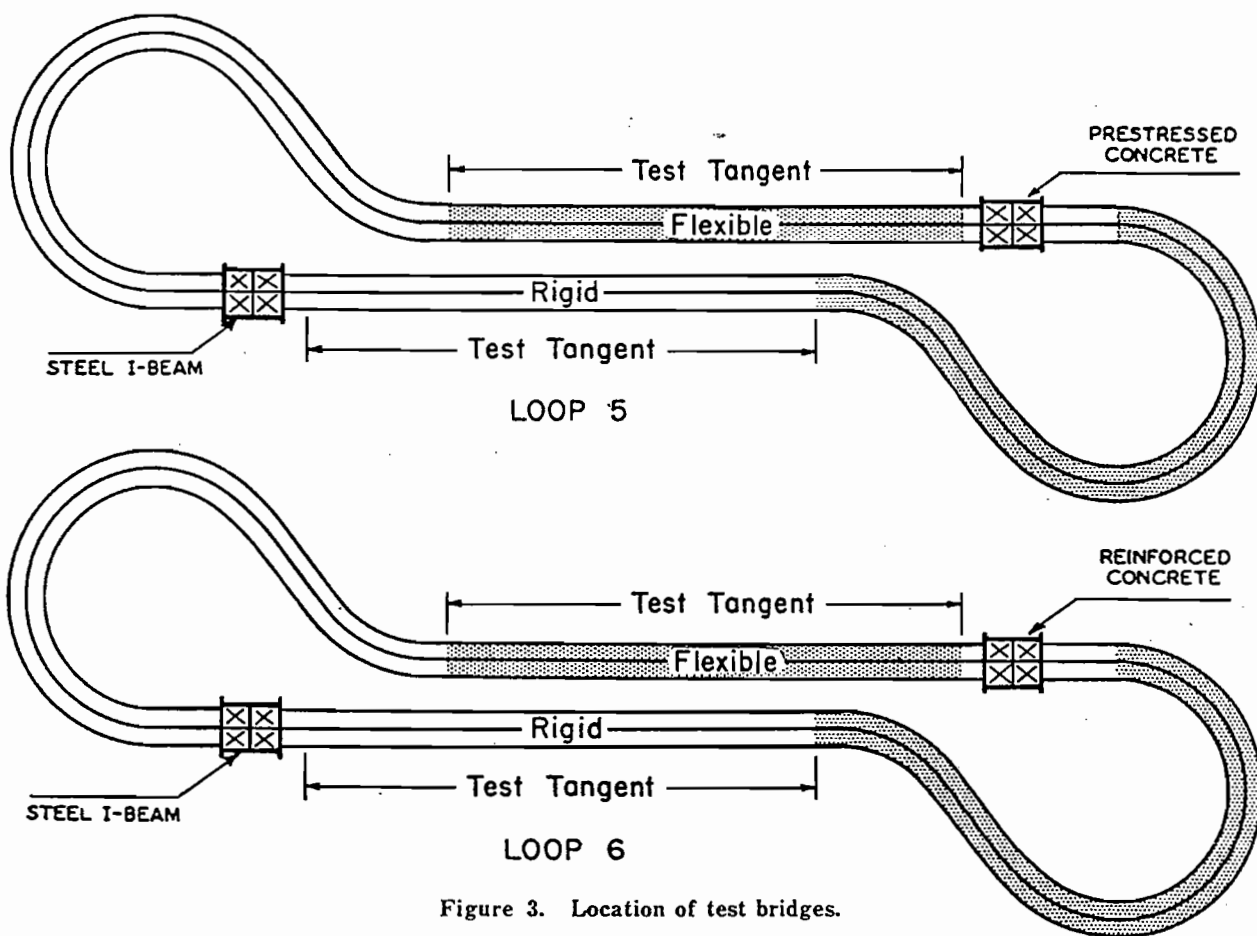


Figure 3. Location of test bridges.

Analysis Period = 20 Years

Location Example 1 Assumed SN or D = 9"

Vehicle Types	Current Traffic (A)	Growth Factors (B)	Design Traffic (C)	E.S.A.L. Factor (D)	Design E.S.A.L. (E)
		2%			
Passenger Cars	5,925	24.30	52,551,787	.0008	42,041
Buses	35	24.30	310,433	.6806	211,280
Panel and Pickup Trucks	1,135	24.30	10,066,882	.0122	122,816
Other 2-Axle/4-Tire Trucks	3	24.30	26,609	.0052	138
2-Axle/6-Tire Trucks	372	24.30	3,299,454	.1890	623,597
3 or More Axle Trucks	34	24.30	301,563	.1303	39,294
All Single Unit Trucks					
3 Axle Tractor Semi-Trailers	19	24.30	168,521	.8646	145,703
4 Axle Tractor Semi-Trailers	49	24.30	434,606	.6560	285,101
5 + Axle Tractor Semi-Trailers	1,880	24.30	16,674,660	2.3719	39,550,626
All Tractor Semi-Trailers					
5 Axle Double Trailers	103	24.30	913,559	2.3187	2,118,268
6 + Axle Double Trailers	0	24.30			
All Double Trailer Combos.					
3 Axle Truck-Trailers	208	24.30	1,844,856	.0152	28,042
4 Axle Truck-Trailers	305	24.30	2,705,198	.0152	41,119
5 + Axle Truck-Trailers	125	24.30	1,108,688	.5317	589,489
All Truck-Trailer Combos.					
All Vehicles	10,193		90,406,816	Design E.S.A.L.	43,772,314

Figure 11. Worksheet for Calculating 18-kip Equivalent Single-Axle Load (ESAL) Applications (2).

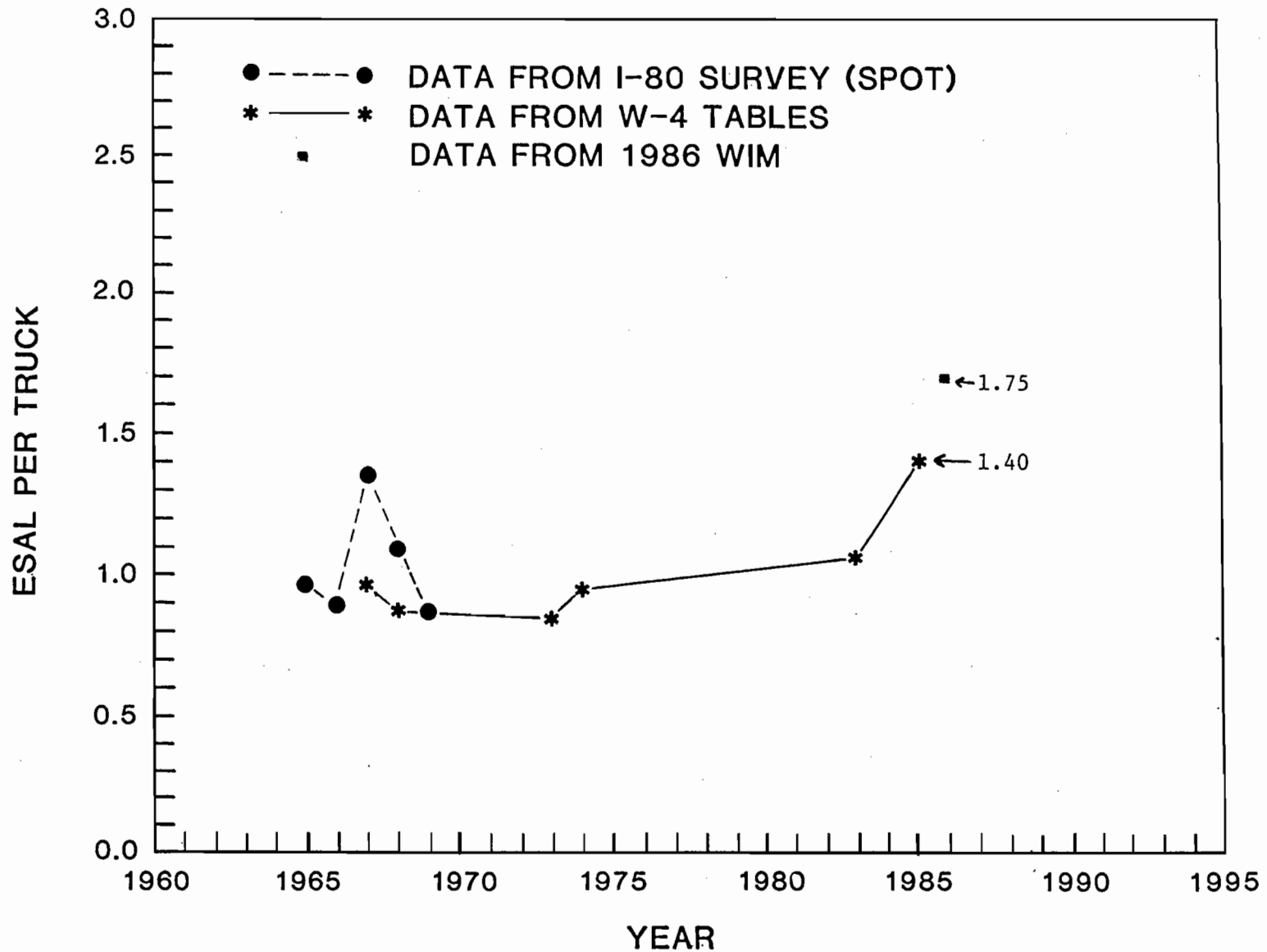


Figure 9. ESALs Per Truck Calculated from W-4 Tables, with WIM Data Indicated in 1986.

Truck Factors										
Vehicle Type	Rural Systems						Urban Systems		All Systems	
	Interstate Rural		Other Rural		All Rural		All Urban			
	Average	Range	Average	Range	Average	Range	Average	Range	Average	Range
Single-unit trucks										
2-axle, 4-tire	0.02	0.01-0.06	0.02	0.01-0.09	0.03***	0.02-0.08	0.03***	0.01-0.05	0.02	0.01-0.07
2-axle, 6-tire	0.19	0.13-0.30	0.21	0.14-0.34	0.20	0.14-0.31	0.26	0.18-0.42	0.21	0.15-0.32
3-axle or more	0.56	0.09-1.55	0.73	0.31-1.57	0.67	0.23-1.53	1.03	0.52-1.99	0.73	0.29-1.59
All single-units	0.07	0.02-0.16	0.07	0.02-0.17	0.07	0.03-0.16	0.09	0.04-0.21	0.07	0.02-0.17
Tractor semi-trailers										
3-axle	0.51	0.30-0.86	0.47	0.29-0.82	0.48	0.31-0.80	0.47	0.24-1.02	0.48	0.33-0.78
4-axle	0.62	0.40-1.07	0.83	0.44-1.55	0.70	0.37-1.34	0.89	0.60-1.64	0.73	0.43-1.32
5-axle or more**	0.94	0.67-1.15	0.98	0.58-1.70	0.95	0.58-1.64	1.02	0.69-1.69	0.95	0.63-1.53
All multiple units	0.93	0.67-1.38	0.97	0.67-1.50	0.94	0.66-1.43	1.00	0.72-1.58	0.95	0.71-1.39
All trucks	0.49	0.34-0.77	0.31	0.20-0.52	0.42	0.29-0.67	0.30	0.15-0.59	0.40	0.27-0.63

*Compiled from data supplied by the Highway Statistics Division, U.S. Federal Highway Administration.

**Including full-trailer combinations in some states.

***See Article 4.05 for values to be used when the number of heavy trucks is low.

Figure 8. Distribution of Truck Factors for Different Classes of Highways and Vehicles in the United States (9).

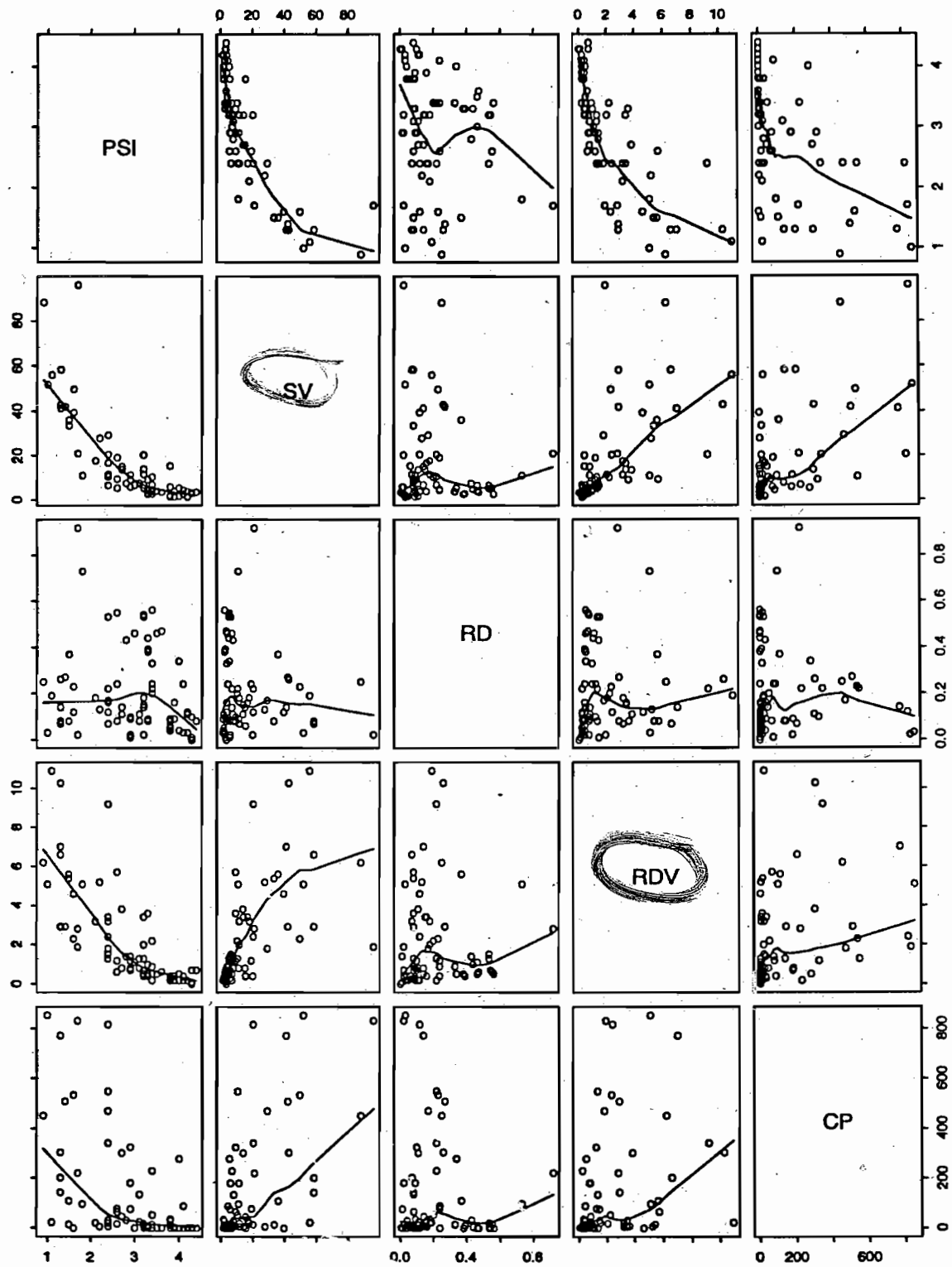


Figure 3.4 - Using Scatterplot Smoother (lowess) on the Scatter Plot Matrix

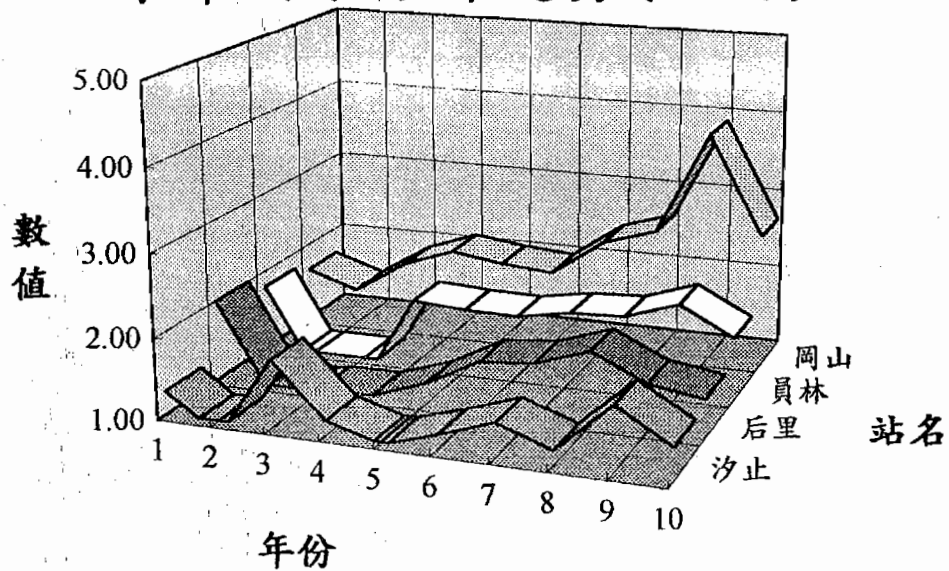
各站之TF值(北向)

年度\站名	汐止	后里	員林	岡山	平均
70	1.28294	1.99182	1.79620	1.66052	1.68287
71	0.82935	0.91712	0.73090	1.44614	0.98088
72	1.81488	1.02673	0.70082	1.85465	1.34927
73	1.17328	1.02688	1.81813	2.09390	1.52805
74	0.97371	1.25037	1.77454	2.00173	1.50009
75	1.17576	1.60636	1.76216	1.95284	1.62428
76	1.40749	1.66493	1.87759	2.41035	1.84009
77	1.17294	1.89006	1.90699	2.61529	1.89632
78	1.78024	1.57651	2.12938	3.89897	2.34627
79	1.38461	1.47839	1.78861	2.67640	1.83200
平均	1.29952	1.44292	1.62853	2.26108	1.65801

各站之 TF 值(南向)

年度\站名	汐止	后里	員林	岡山	平均
70	3.1088	1.2598	1.2461	0.6545	1.5673
71	1.7769	1.2372	0.6916	0.6792	1.0962
72	2.8092	0.9631	0.7910	0.6096	1.2932
73	2.0559	1.0521	0.6646	0.7345	1.1268
74	2.0176	0.9982	0.8722	0.9264	1.2036
75	1.8361	1.6129	0.9604	1.0354	1.3612
76	2.7124	1.1785	1.3642	1.0808	1.5840
77	2.6762	1.5207	1.3589	1.5638	1.7799
78	2.9583	1.5089	1.8692	1.9978	2.0836
79	1.8864	1.6639	1.5600	1.7465	1.7142
平均	2.3838	1.2995	1.1378	1.1029	1.4810

卡車因子分佈趨勢(北向)



卡車因子分佈因子(南向)

