


**Fourth International Workshop**

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**Reevaluation of the FAA Thickness Design Procedures for Rigid Airfield Pavements**

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CROW




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**Mechanistic Reappraisal of the Current Design Methodology for Rigid Airfield Pavements**

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**The 1999 FAA Airport Technology Transfer Conference**

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**Introduction**

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- Conventional FAA Design Procedure
  - Plate theory
  - Westergaard edge stress
- LEDFAA Design Procedure
  - Multi-Layered Linear Elastic Theory
- Question of B-777 Airplanes
  - Unduly Conservative
- Reevaluate Rigid Airfield Pavements Design Procedure



**Research Approach**

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- Reevaluate Pass-to-Coverage Ratio Concept
- Estimation of Edge Stress for Design
- Conversion of Different Aircraft Types and Departures
- Fatigue Relationship and Thickness Design Criteria
- Investigation of Tentative Modification Alternatives
- Determination of Equivalent Stress Factor
- Alternative Structural Deterioration Relationship



**Conventional FAA Design Method**

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- The Plate Theory & Westergaard Edge Stresses
- Pass-to-Coverage Ratio (P/C)
- Design Aircraft & Conversion Factors
- Fatigue Relationship
  - Coverages & Basic Thickness



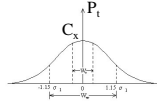
## Reevaluate P/C Ratio Concept

- Effect: Edge of a tire at 0 = Tire centerline at 0
- Extended to Multi-Wheels
- Reevaluated the P/C Concept

$$\text{Coverages} = \int_{-\frac{w}{2}}^{\frac{w}{2}} P(x) dx = (C_x)(W)$$

$$P(x) = \frac{1}{\sigma \sqrt{2\pi}} e^{-\frac{1}{2} \left(\frac{x-w}{\sigma}\right)^2}$$

$$P/C = \frac{1}{(C_x)(W)}$$



Aircraft Type	FAA P/C Ratio	Calculated P/C Ratio	Aircraft Type	FAA P/C Ratio	Calculated P/C Ratio
SINGLE WH-30	5.18	6.22	C-130	4.15	4.58
SINGLE WH-45		5.56	L-1011	3.62	3.40
SINGLE WH-60		5.20	A-300-B2	3.51	3.45
SINGLE WH-75		4.97	A-300-B4	3.45	3.57
DUAL WH-50	3.48	3.71	B-757	3.88	3.90
DUAL WH-75		3.57	B-767	3.9	3.89
DUAL WH-100		3.53	DC-10-10	3.64	3.80
DUAL WH-150		3.24	DC-10-30	3.38	3.54
DUAL WH-200	3.25	DC-10-30Belly	2.88		
DUAL TAN-100	3.68	4.55	B-747-200	3.7	3.53
DUAL TAN-200		3.73	B-747-SP		3.66
DUAL TAN-300		3.34	B-777-200A	4.21	
DUAL TAN-400		3.14	B-777-200B	4.21	
			B-777-200C	N/A	3.97

- Wheel spacing and tire width obtained from LEDFAA
- The standard deviation is assumed as 77.5 cm.



## Stress Analysis of Conventional FAA Design Method

- Westergaard Critical Edge Stresses
- Pickett and Ray's Influence Charts
- Analysis of B-777 Airplanes
  - Unduly Conservative

$$\hat{t}_e = \frac{P}{h^2} [RC0 + RC1 \times \ln(\cdot) + RC2 \times (\ln(\cdot))^2]$$

- Only Applicable to U.S. Customary System



## Estimation of Critical Edge Stress

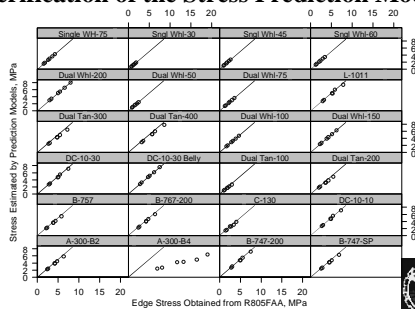
$$\hat{t}_e = \hat{t}_{we} * R_1 * R_2 * R_3 * R_4 * R_5 + \hat{t}_{ce} * R_T$$

- $\hat{t}_{we}$ : Westergaard edge stress
- $R_1$ : Gear configurations adjustment factor
- $R_2$ : Finite slab size adjustment factor
- $R_3$ : Concrete shoulder adjustment factor
- $R_4$ : Widened outer lane adjustment factor
- $R_5$ : Second layer adjustment factor

(Ref: Lee, et al., 1997)



## Verification of the Stress Prediction Models



## Conversion of Different Aircraft Types and Departures

### • Conversion Factors

- Conversion to equivalent annual departures of the design aircraft
- "Arbitrary and Unverified" (Ahlin 1991, p. 10-9)
 
$$\log R_1 = \log R_2 \times \sqrt{\frac{W_2}{W_1}}$$
- Cumulative Damage Factor (CDF) in LEDFAA
- Conversion is no longer necessary



## Fatigue Relationship and Thickness Design Criteria (1)

- Conventional FAA Design Procedure
- Basic Thickness
- Design Factor = 1.3  $\tau_c = \frac{S_c}{1.3 * 0.75}$
- Fatigue Relationship  $k_1 = \left[ (RC0 + RC1 \times \ln(t)) + RC2 \times (\ln(t))^2 \right] \times \left( \frac{P}{\tau_c} \right)^{0.5}$

$$RH = \begin{cases} 1 + 0.15603 * (\log(C) - 3.69897) & \text{if } C > 5000 \\ 1 + 0.07058 * (\log(C) - 3.69897) & \text{if } C < 5000 \end{cases}$$



## Fatigue Relationship and Thickness Design Criteria (2)

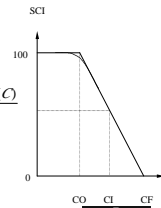
### • LEDFAA's Fatigue Relationship

- Rollings and Witzak(1990)
- Structural Condition Index (SCI;100-0)

$$SCI = \frac{DF - 0.2967 - (0.3881 + 0.000039 * SCI) * \log(C)}{0.002269}$$

$$DF = 0.4782 + 0.3912 * \log(C80)$$

- Select the higher of the two
- Interior Stress of Layered Elastic Theory
- 75% Westergaard's Edge Stress
- Arbitrary & Unsupported



## Fatigue Relationship and Thickness Design Criteria (3)

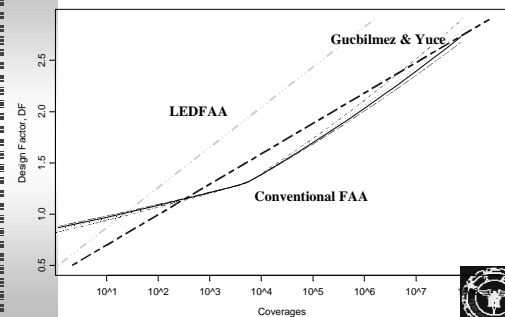
- Gucbilmez and Yuce's Fatigue Relationship
- Re-analyzed Corps of Engineers Full-size Test Data
- Westergaard edge stress
- $DF = S_c / (0.75 * \sigma_c)$

$$SCI = \frac{100 * \log(C) - 320.61558 DF + 56.4417}{0.20903 DF - 0.99336}$$

$$DF = 0.40289 + 0.29644 * \log(C80)$$

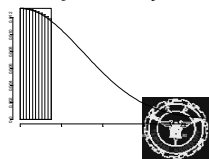


## Comparison of Fatigue Relationships



## Investigation of Tentative Modification Alternatives

- P/C Concept Assumed:
  - Effect: the edge of a tire at 0 = the tire centerline at 0
  - Maximum tensile stress should be used throughout when the centerline location of the lateral wheel load placement ( $L_c$ ) falls within this tire print area
- Very crude & conservative application of CDF
- Prediction model for stress reduction due to  $D_0$  effect



## Re-analyze Corps of Engineers Full-size Test Data

- Fatigue Relationships developed for CO, CI & CF

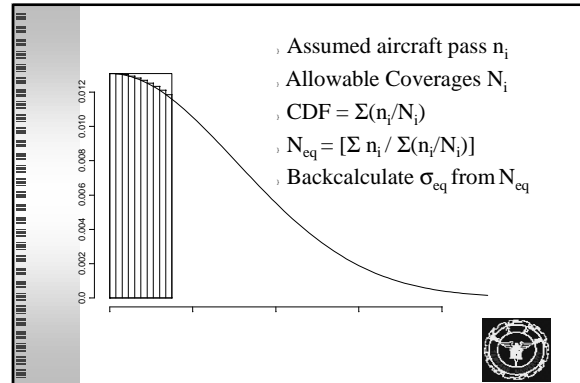
Tentative Fatigue Equations	SSE	R <sup>2</sup>	N
$DF = 0.4561 + 0.2928 * \log(CO)$	0.108	0.822	24
$DF = 0.3470 + 0.3013 * \log(CI)$	0.125	0.818	36
$DF = 0.1760 + 0.3119 * \log(CF)$	0.122	0.775	24
$DF = 0.3171 + 0.2894 * \log(PO)$	0.114	0.804	24
$DF = 0.2124 + 0.2953 * \log(PI)$	0.131	0.800	36
$DF = 0.0338 + 0.3074 * \log(PF)$	0.127	0.755	24

- Similar to Gucbilmez and Yuce's Equation



## Determination of Equivalent Stress Factor

- Equivalent Stress Factor ( $f_3$ )
- Equivalent Damage Effect
- Cumulative Fatigue Damage  $\Sigma(n_i/N_i)$
- Stress Prediction Models  $\sigma_c = \sigma_{we} * R_1 * R_4$ 
  - $\sigma_{we}$ : Westergaard edge stress
  - $R_1$ : Gear configurations adjustment factor
  - $R_4$ : Widened outer lane adjustment factor
- $DF = S_c / (0.75 * \sigma_c)$



- Gucbilmez and Yuce (1995)
- Assuming  $1.273(\pi a^2) = 1.6 (W_i)^2$

Item	$f_3$	Item	$f_3$	Item	$f_3$	Item	$f_3$
A1.60	0.808	K2.100	0.859	U1.60	0.819	72	0.912
B2.66L	0.826	N1.86	0.840	E-6	0.872	73	0.901
B1.66L	0.796	N2.86	0.809	M-1	0.873	1-C5	0.833
C2.66S	0.826	O1.106	0.862	M-2	0.892	2-DT	0.873
C1.66S	0.795	O2.106	0.830	-	0.810	3-DT	0.883
D1.66	0.796	P1.812	0.835	59	0.887	2-C5	0.834
E2.66M	0.835	P2.812	0.806	60	0.856	4-DT	0.865
E1.66M	0.806	Q1.102	0.865	61	0.873	3-200	0.892
F1.80	0.835	Q2.102	0.833	62	0.888	4-200	0.881



## Alternative Deterioration Relationship

- Equivalent Design Factor (EDF) =  $S_c / (0.75 * \sigma_c * f_3)$

Tentative Fatigue Equations	SSE	R <sup>2</sup>	N
EDF = 0.6421 + 0.2920*log(CO)	0.119	0.793	24
EDF = 0.5266 + 0.3037*log(CI)	0.136	0.792	36
EDF = 0.3697 + 0.3086*log(CF)	0.134	0.735	24
EDF = 0.5056 + 0.2879*log(PO)	0.125	0.771	24
EDF = 0.3911 + 0.2976*log(PI)	0.142	0.774	36
EDF = 0.2319 + 0.3032*log(PF)	0.140	0.712	



## Proposed Fatigue Relationship

$$SCI = \frac{100 * \log(C) - 324.044 * EDF + 119.799}{0.184217 * EDF - 1.00098}$$

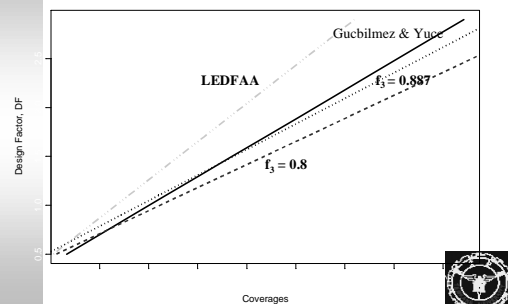
$$EDF = 0.5900 + 0.2952 * \log(C80)$$

$$DF = f_3 * [0.5900 + 0.2952 * \log(C80)]$$

- C80 is the coverages to reduce the pavement SCI from 100 to 80
- C is the coverage level at which the SCI is to be calculated



## Comparison of Fatigue Relationships



## Implementation of the Proposed Approach

- Application of the P/C & CDF Concept
- Prediction Models for Critical Edge Stress
- Application of Equivalent Stress Factor ( $f_3$ )
- Alternative Fatigue Relationship
- On-going Development of a User-friendly Computer Program Using VB5.0



## Conclusions (1)

- Reexamined the P/C Concept
- Proposed and Verified the Stress Prediction Models
  - Dimensionally Correct: Metric and English Systems
  - Other features: finite slab size, second layer, curling, etc.
- Identified the Problems and Difficulties for the Conversions of Aircraft Types and Departures
- The CDF Concept Should Be Used
- Investigated Various Fatigue Relationships & Thickness Design Criteria



## Conclusions (2)

- The LEDFAA Approach is Biased by Selecting the Higher of the Two:
  - Interior Stress of Layered Elastic Theory
  - 75% Westergaard's Edge Stress
  - Arbitrary & Unsupported ==> Even More Conservative
- Reanalyzed the Corps of Engineers Traffic Data
- Introduced an Equivalent Stress Factor ( $f_3$ ) & EDF
- Proposed an Alternative fatigue relationship
- On-going Implementation of a User-Friendly PC Program



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