



Effects of Various Design Features on Rigid Airfield Pavement Design

Ying-Haur Lee & Shao-Tang Yen
Department of Civil Engineering
Tamkang University
Taipei, Taiwan, R.O.C.



Problem Statement

- Current FAA Rigid Pavement Design
 - Will result in same required min. slab thickness
 - Regardless of different joint spacing, load transfer mechanism, environmental effects
- Objective
 - Investigate the effects of various design features
 - Continuous effort to expand the applicability of previously proposed design procedure (Lee & Yen 2001)



Introduction

- Review of Rigid Airfield Pavement Design
 - Conventional FAA & LEDFAA design procedures
 - Lee and Yen's proposed alternative design procedure
- Estimation of Critical Edge Stress for Design
 - Reanalysis of Corps of Engineers full-scale test pavements data
 - Investigate the effects of finite slab sizes; a second bonded/unbonded layer; and curling & warping
- Alternative Structural Deterioration Relationship
- Implementation of the Proposed Approach



Stress Analysis of FAA Design Procedure

- Plate Theory & Westergaard Critical Edge Stresses
 - Pickett and Ray's Influence Charts
- $$\sigma_e = \frac{P}{h^2} [RC0 + RC1 \times \ln(\ell) + RC2 \times (\ln(\ell))^2]$$
- Applicable to U.S. customary system / infinite slab size
 - Use Multi-Layered Linear Elastic Theory (B-777)
 - LEDFAA design procedure



Estimation of Critical Edge Stress for Design

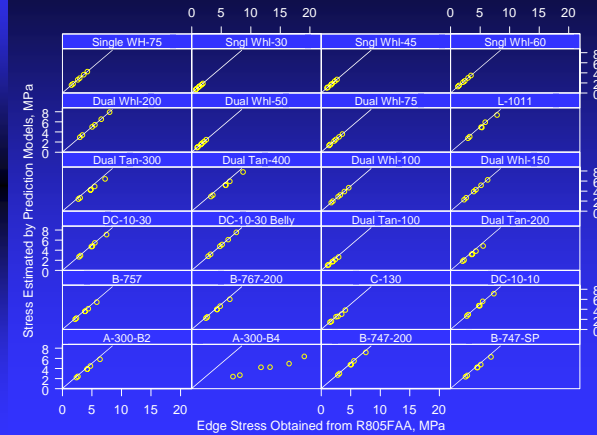
$$\sigma_e = \sigma_{we} \times R_1 \times R_2 \times R_5 + \sigma_c * R_T$$

- σ_{we} : Westergaard edge stress
- σ_c : Westergaard/Bradbury's curling stress
- R_1 : Gear configurations adjustment factor
- R_2 : Finite slab size adjustment factor
- R_5 : Second layer adjustment factor
- R_T : Combined effect of loading plus daytime curling adjustment factor

(Ref: Lee, et al., 1997)



Verification of Stress Prediction Models



Corps of Engineers Full-Scale Test Data

- Include 8 Test Tracks (1943~1972)
 - Zone 1 – Lockbourne Air Force Base, Ohio
 - Lockbourne No.1
 - Lockbourne No.2
 - Lockbourne No.3
 - Zone 2 – Sharonville, Ohio
 - Sharonville Channelized Traffic
 - Sharonville Heavy Load
 - Zone 3 – Waterways Experiment Station, Mississippi
 - Multiple-Wheel Heavy Gear Load (MWHGL)
 - Keyed Longitudinal Joint Study (KLJS)
 - Soil Stabilization Pavement Study (SSPS)

(Ref: Guciblmez & Yuce, 1995; Parker, et al., 1979)



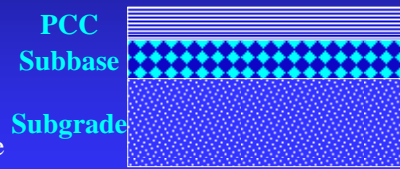
Effect of Finite Slab Width and Length

- Reanalysis of the Corps of Engineers Full-Scale Test Data (36 Test Pavements)
 - L = 6.1~15.24 m
 - W = 3.05~15.24 m
- Stress Adjustment Factor R_2
 - Corrected the main landing gear load of Item K2.100
 - R_w ranging from 0.998 to 1.0
 - R_L ranging from 0.964 to 1.0
 - → Negligible



Effect of a Second Subbase Layer

- Original Subgrade $k \rightarrow$ Composite k
 - Past and Current FAA & PCA design procedure
 - 1993 AAHSTO design procedure
- NCHRP Report 372 **PCC Subbase**
 - Effect on the slab response
 - Not effect on k value
- Implemented in the AASHTO 1998 Guide (Ref: Hall, et al., 1995; Darter, et al. 1995)



Stress Adjustment due to a Second Unbonded Layer

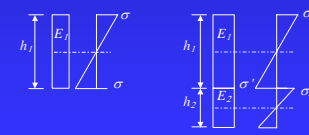
- Transformed Section (Tabatabai-Raissi, 1977) \rightarrow Equivalent Single Layer

- Assuming $\mu_1 = \mu_2$

$$M_T = \frac{\sigma_1}{6} \left[h_1^2 + \left(\frac{E_2 h_2}{E_1 h_1} \right) h_2^2 \right] = \frac{\sigma_1 h_{eff}^2}{6}$$

- Effective Thickness

$$h_{eff} = \sqrt{h_1^2 + \left(\frac{E_2 h_2}{E_1 h_1} \right) h_2^2}$$



Stress Adjustment due to a Second Unbonded Layer (Continued...)

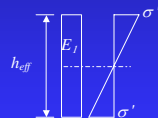
- Equivalent Moment per Unit Width I_{eff}

$$I_{eff} = I_1 + \left(\frac{E_2}{E_1} \right) I_2 = \frac{h_1^3}{12} + \left(\frac{E_2}{E_1} \right) \frac{h_2^3}{12} = \frac{h_{eff}^3}{12}$$

$$h_{eff} = \sqrt[3]{h_1^3 + \left(\frac{E_2}{E_1} \right) h_2^3}$$

- Stress Adjustment Factor R_5

$$\sigma_{unbond} = \sigma_{we} \times \frac{h_1}{h_{eff}} \times \frac{\sigma'}{\sigma} = \sigma_{we} \times R_5$$



- Verified with ILLICON Program (NCHRP 1-26, 1990)



Stress Adjustment due to a Second Bonded Layer

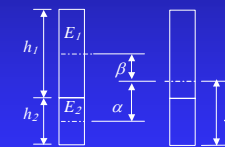
- A Composite Cross Section
- Effective Thickness, New Neutral Axis

$$x = \frac{E_1 h_1^2 + 2E_1 h_1 h_2 + E_2 h_2^2}{2(E_1 h_1 + E_2 h_2)}$$

- Equivalent Thickness

$$h_{eff} = \sqrt[3]{h_{1f}^3 + \left(\frac{E_2}{E_1} \right) h_{2f}^3}$$

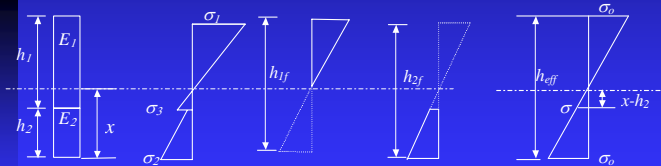
$$h_{1f} = \sqrt[3]{h_1^3 + 12h_1\beta^2} \quad h_{2f} = \sqrt[3]{h_2^3 + 12h_2\alpha^2}$$



Stress Adjustment due to a Second Bonded Layer (Continued...)

- Stress Adjustment Factor R_5

$$\sigma_{\text{bond}} = \sigma_{\text{we}} \times \frac{2(x - h_2)}{h_{\text{eff}}} \times \frac{\sigma'}{\sigma} = \sigma_{\text{we}} \times R_5$$



- Verified with ILLICON Program



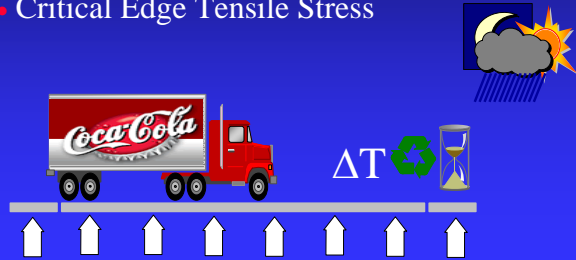
Reanalysis Results: Effect of a Second Unbonded Layer

- Corps of Engineers Full-Scale Test Data
 - Assuming the second subbase layer as unbonded
- $R_k = \sigma_1 / \sigma_2$
 - σ_1 : use composite k-value from Yuce's paper
 - σ_2 : use original k-value from the test data
 - R_k ranging from 1.00 to 1.248
- Stress Adjustment Factor $R_5 = \frac{2(x - h_2)}{h_{\text{eff}}} \times \frac{\sigma'}{\sigma}$
 - $R_5 = 0.987 \sim 1.0$



Effect of Thermal Curling and Moisture Warping

- Daytime Positive Temperature Differential
 - Additional tensile stress at the bottom of slab
- Critical Edge Tensile Stress



Effective Temperature Differential vs. Other Climatic Factors

- 1998 AASHTO Supplemental Guide

$$TD = 0.962 - \frac{52.181}{h} + 0.341 * WIND + 0.184 * TEMP - 0.00836 * PREC$$

TD = effective positive temperature differential, °F

h = slab thickness, in.

WIND = mean annual wind speed, mph

TEMP = mean annual temperature, °F

PREC = mean annual precipitation, in.



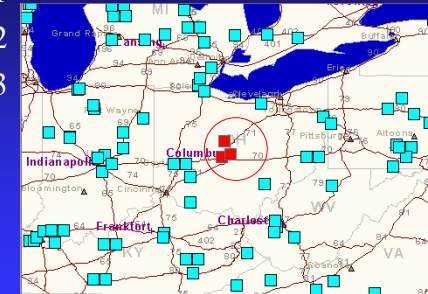
Climatic Data Search

- Application of the LTPP DataPave Program
- Search Test Tracks Locations from the Map
- Search SHRP IDs Nearest to Test Tracks
- Link to Virtual Weather Station's Data
 - Mean Annual Wind speed
 - Mean Annual Temperature
 - Mean Annual Precipitation



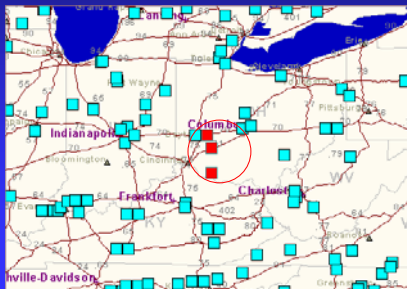
Lockbourne Air Force Base, Ohio

- Lockbourne No.1
- Lockbourne No.2
- Lockbourne No.3



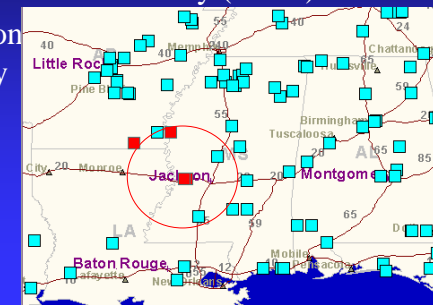
Sharonville, Ohio

- Sharonville Channelized Traffic
- Sharonville Heavy Load



Waterways Experiment Station, Mississippi

- Multiple-Wheel Heavy Gear Load (MWHGL)
- Keyed Longitudinal Joint Study (KLJS)
- Soil Stabilization Pavement Study (SSPS)



Reanalysis Results: Effect of Curling & Warping

- Full-Scale Test Data / LTPP Climatic Data
 - $h = 14.0 \sim 71.1$ cm $PREC = 983 \sim 1441.9$ mm
 - $TEMP = 11.2 \sim 17.6$ °C $WIND = 3.08 \sim 4.05$ m/s
- Results:
 - TD ranging from $1.79 \sim 6.35$ °C
 - Stress adjustment factor $R_{TD} = \sigma_e / \sigma_L = 1.023 \sim 1.241$

$$\sigma_e = \frac{\sigma_{we} \times R_1 \times R_2 \times R_5 + \sigma_c * R_T}{\sigma_L}$$



Fatigue Relationship and Thickness Design Criteria (1)

- Conventional FAA Design Procedure
- Basic Thickness
- Design Factor = 1.3 $\sigma_e = \frac{S_c}{1.3 * 0.75}$
- Fatigue Relationship $h_i = \left[(RC0 + RC1 \times \ln(\ell) + RC2 \times (\ln(\ell))^2) \times \left(\frac{P}{\sigma_e} \right) \right]^{0.5}$

$$RH = \begin{cases} 1 + 0.15603 * (\log(C) - 3.69897) & \text{if } C > 5000 \\ 1 + 0.07058 * (\log(C) - 3.69897) & \text{if } C < 5000 \end{cases}$$



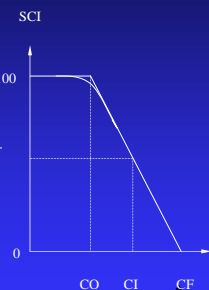
(Ref: Lee & Yen, 2001)

Fatigue Relationship and Thickness Design Criteria (2)

- LEDFAA's Fatigue Relationship
- Rollings and Witczak(1990)
 - Structural Condition Index (SCI, 0~100)
- Select the higher of the two
 - Interior Stress of Layered Elastic Theory
 - 75% Westergaard's Edge Stress
 - Arbitrary & Unsupported

$$SCI = \frac{DF - 0.2967 - (0.3881 + 0.000039 * SCI) * \log(C)}{0.002269}$$

$$DF = 0.4782 + 0.3912 * \log(C80)$$



(Ref: Lee & Yen, 2001)

Fatigue Relationship and Thickness Design Criteria (3)

- Gucbilmez and Yuce's Fatigue Relationship
- Re-analyzed Corps of Engineers Full-size Test Data
- Westergaard edge stress
- $DF = S_c / (0.75 * \sigma_e)$

$$SCI = \frac{100 * \log(C) - 320.61558DF + 56.4417}{0.20903DF - 0.99336}$$

$$DF = 0.40289 + 0.29644 * \log(C80)$$



(Ref: Lee & Yen, 2001)

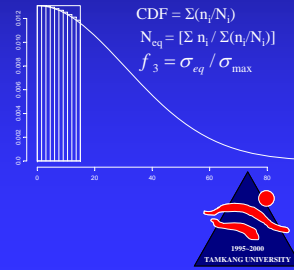
Previously Proposed Alternative Fatigue Relationship

- Loading on Infinite Slab Only
- Equivalent Stress Factor (f_3) ← P/C Ratio Shortcomings
- Application of CDF
- $EDF = S_c / (0.75 * \sigma_e * f_3)$

$$SCI = \frac{100 * \log(C) - 324.044 * EDF + 119.799}{0.184217 * EDF - 1.00098}$$

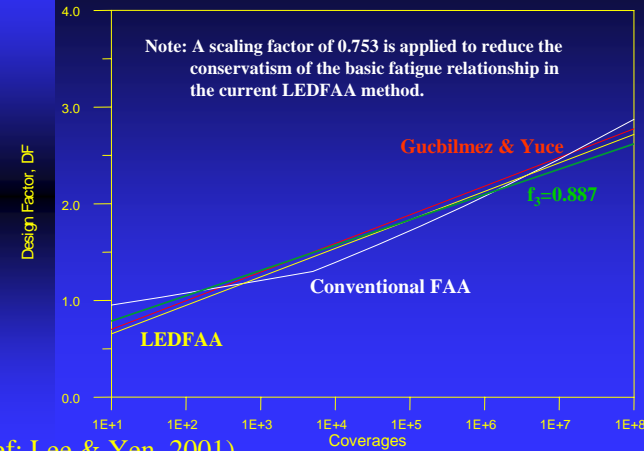
$$EDF = 0.5900 + 0.2952 * \log(C80)$$

$$DF = f_3 * [0.5900 + 0.2952 * \log(C80)]$$



(Ref: Lee & Yen, 2001)

Comparison of Fatigue Relationships



(Ref: Lee & Yen, 2001)

Alternative Deterioration Relationships

- Consider Additional Design Features & Curling
- Equivalent Design Factor (EDF) = $S_c / (0.75 * \sigma_e * f_3)$

Tentative Fatigue Equations	SEE	R ²	N
$EDF = 0.6040 + 0.2467 * \log(CO)$	0.115	0.742	24
$EDF = 0.5082 + 0.2493 * \log(CI)$	0.113	0.788	36
$EDF = 0.3520 + 0.2685 * \log(CF)$	0.118	0.730	24
$EDF = 0.4910 + 0.2422 * \log(PO)$	0.121	0.716	24
$EDF = 0.3975 + 0.2441 * \log(PI)$	0.118	0.769	36
$EDF = 0.2354 + 0.2629 * \log(PF)$	0.124	0.701	24

Treatment of Possible Outlying Items

- Item K2.100
 - Corrected the main landing gear load of Item K2.100
 - Considered throughout this paper
- Item 59, If Removed (But Not Used)

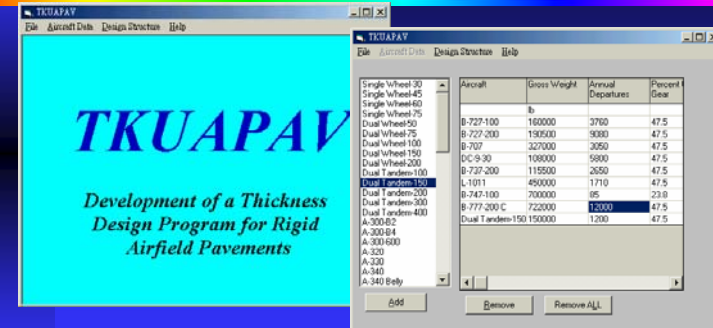
Tentative Fatigue Equations	SEE	R ²	N
$EDF = 0.4719 + 0.2680 * \log(CI)$	0.101	0.838	35
$EDF = 0.3542 + 0.2619 * \log(PI)$	0.107	0.816	35

Newly Proposed Fatigue Relationship

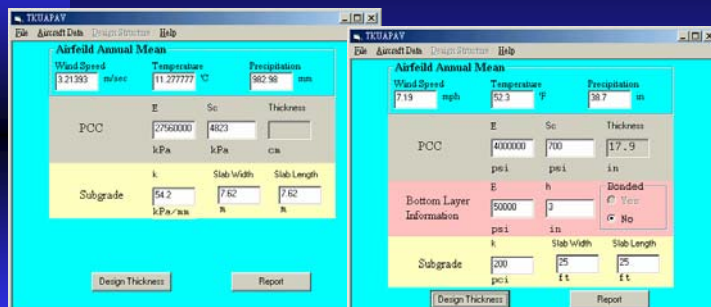
- Consider Additional Design Features & Curling
- $$SCI = \frac{100 * \log(C) - 372.439(EDF) + 131.099}{0.3291(EDF) - 1.1373}$$
- $$EDF = 0.5569 + 0.2508 * \log(C_{80})$$
- $$DF = f_3 * [0.5569 + 0.2508 * \log(C_{80})]$$
- C80 is the coverages to reduce the SCI from 100 to 80
 - C is the coverage level for the SCI to be calculated



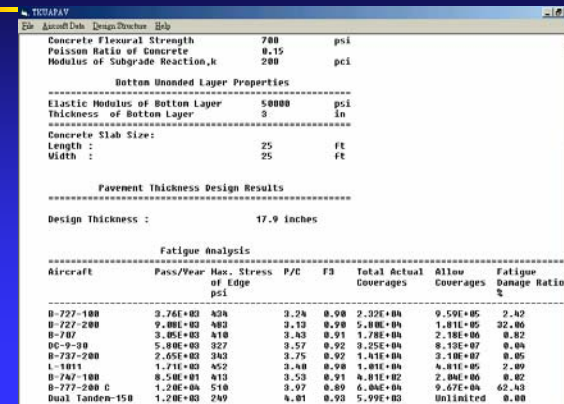
TKUAPAV Example Input (1)



TKUAPAV Example Input (2)



TKUAPAV Example Output



Sensitivity Analysis of the Effect of a Second Layer

Bonded				Unbonded				Unbonded			
E ₂ =13.78 GPa		h ₂ =15.2 cm		E ₂ =0.17 GPa		h ₂ =15.2 cm		E ₂ =13.78 GPa		h ₂ =15.2 cm	
h ₂ (cm)	R _s	E ₂ (GPa)	R _s	h ₂ (cm)	R _s	E ₂ (GPa)	R _s	h ₂ (cm)	R _s	E ₂ (GPa)	R _s
5.1	0.650	1.72	0.737	0	1	0.17	0.999	0.0	1	1.72	0.987
7.6	0.510	3.45	0.579	15.2	0.999	0.34	0.997	7.6	0.987	3.45	0.973
10.2	0.395	6.89	0.398	30.5	0.989	0.69	0.995	15.2	0.902	6.89	0.948
12.7	0.303	13.78	0.229			1.38	0.989	22.9	0.734	13.78	0.902
15.2	0.229	20.67	0.149			2.07	0.984	30.5	0.544	20.67	0.860

- Unbonded Layer with Low Modulus → Negligible
- Bonded Layer with High Modulus → More Pronounced



Conclusions

- Reanalyzed the Corps of Engineers Test Data
- Utilized Prediction Models (Lee, et al., 1997) for Critical Edge Stress Estimation

$$\sigma_e = \sigma_{we} \times R_1 \times R_2 \times R_5 + \sigma_c * R_T$$
- Effect of a Subbase Layer (NCHRP Report 372)
 - Effect on the slab response (Adopted)
 - Not effect on k value
- Re-investigated Transformed Section Concept
 - Verified with ILLICON Program



Conclusions (Continued...)

- Climatic Data Obtained from the LTPP Database
- Resulting Stress Adjustment Factors
 - Finite slab length (0.964~1.0) and width (0.998~1.0)
 - Second unbonded layer (0.987~1.0)
 - Curling & warping (1.023~1.241)
- Proposed New Fatigue Relationship
 - Allow various new design features & curling
- Implemented in the TKUAPAV program
- <http://teg.ce.tku.edu.tw/>



Acknowledgments

- Research Work was Sponsored by National Science Council, Taiwan, Republic of China



THANKS FOR YOUR ATTENTION!

THANKS FOR YOUR ATTENTION

Ying-Haur Lee, Ph.D.
Professor of Civil Engineering
Tamkang University
Taipei, Taiwan, R.O.C.
<http://teg.ce.tku.edu.tw/>

