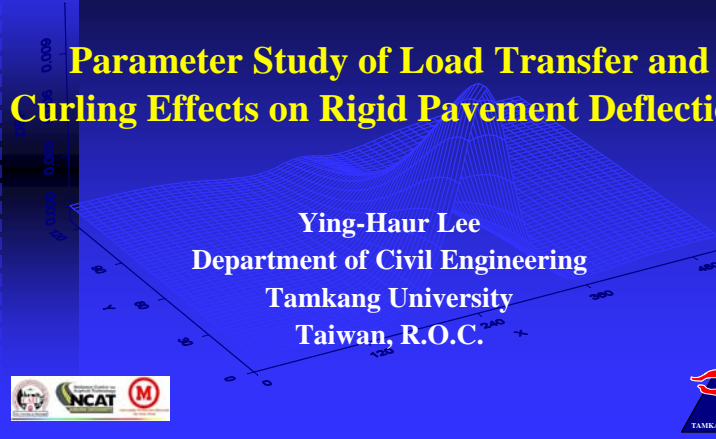


2nd International Symposium on Maintenance and Rehabilitation
of Pavements and Technological Control

Parameter Study of Load Transfer and Curling Effects on Rigid Pavement Deflections



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Problem Statements

- Extensive re-backcalculation analysis of LTPP test sections indicated extremely difficulties in interpreting in situ rigid pavements deflection data exist
- → Probably due to temperature curling, moisture warping and loss of subgrade support
- → Objectives: study the effects of adjacent slabs and temperature curling on rigid pavement deflections

Research Approach

- Literature Review
 - Various backcalculation analyses
 - Theoretical closed-form equations, FE solutions
- Modification and Validation of FE Program
- Effects of Temperature Curling
 - Additional controlling dimensionless variables
- Effects of Adjacent Slabs
- Deflection Databases & Adjustment Factors
- On-going Development & Future Directions

Various Backcalculation Analyses

- AREA Concept
- Closed-form Procedures
 - ILLI-BACK (Ioannides 1989, 1990)
 - NUS-BACK (Li, Fwa, 1997, 1998)
- Regression Models
 - Hall (1991); AASHTO (1993)
- Modified Deflection Ratio Procedures
 - Lee (1997,1998)
- Extensive Re-backcalculation Analysis of LTPP GPS Test Sections (1997)

Closed-Form Deflection Equations

- Losberg (1960)
 - Dense Liquid & Elastic Solid Foundations
- Maximum Deflections
 - Winkler Foundation
 - Interior, Edge, and Corner (Westergaard)
 - Elastic Solid Foundation
 - Interior (Losberg, 1960)
 - Edge and Corner: regression models (Crovetti, 1994)



Modification and Verification of F.E. Program

- ILLI-SLAB F.E. Solutions (Korovesis, 1990)
 - Workstation Version → PC Version
 - Microsoft FORTRAN PowerStation Software (1994)
 - Winkler Foundation: L + C Analysis is OK!
- Sheu (1999)
 - Debug Some Syntax Errors
 - Elastic Foundation: L + C Analysis is Possible!
 - Verified Numerically and Graphically Through Extensive Structural Response Investigations



Parameter Study of Temperature Curling Effect

- Westergaard (1926)
 - Did NOT Explicitly Consider Self-Weight
- ILLI-SLAB (Korovesis, 1990)
 - Include Self-Weight and Loss of Subgrade Support
- Lee & Darter (1994)
 - Two Dimensionless Variables (D_p and D_γ) Identified for L+ C Analysis on Winkler Foundation



Loading + Curling Analysis on Winkler Foundation

- Concise Structural Response Relationships
 - All Dimensionless Parameters

$$\frac{\sigma}{E}, \frac{\delta h}{\ell^2}, \frac{qh}{kl^2} = f\left(\frac{a}{\ell}, \alpha\Delta T, \frac{L}{\ell}, \frac{W}{\ell}, D_\gamma, D_p\right)$$

$$D_\gamma = \frac{\gamma h^2}{kl^2}$$

$$D_p = \frac{Ph}{kl^4} = 12(1 - \mu^2) \frac{P}{Eh^2}$$



Two Additional Dimensionless Variables Identified for Elastic Foundation

- Relative Deflection Stiffness due to Slab Self-Weight & Loss of Subgrade Support

$$D_{\gamma e} = \frac{\gamma h^2}{E_s l_e}$$

- Relative Deflection Stiffness due to External Wheel Load & Loss of Subgrade Support

$$D_{pe} = \frac{Ph}{E_s l_e^3}$$



Verification of Dimensionless Variables

- Self-Weight & Curling
 - Numerically Verified (16 ILLI-SLAB Runs)

$$\frac{\delta h}{l_e^2} = f\left(\alpha \Delta T, \frac{L}{l_e}, \frac{W}{l_e}, D_{\gamma e}\right)$$

- Loading & Curling
 - Numerically Verified (16 ILLI-SLAB Runs)

$$\frac{\delta h}{l_e^2} = f\left(\frac{a}{l_e}, \alpha \Delta T, \frac{L}{l_e}, \frac{W}{l_e}, D_{\gamma e}, D_{pe}\right)$$



Loading + Curling Analysis on Elastic Solid Foundation

- Concise Structural Response Relationships
 - All Dimensionless Parameters

$$\frac{\sigma}{E}, \frac{\delta h}{l_e^2}, \frac{qh}{E_s l_e} = f\left(\frac{a}{l_e}, \alpha \Delta T, \frac{L}{l_e}, \frac{W}{l_e}, D_{\gamma e}, D_{pe}\right)$$

$$D_{\gamma e} = \frac{\gamma h^2}{E_s l_e}$$

$$D_{pe} = \frac{Ph}{E_s l_e^3}$$

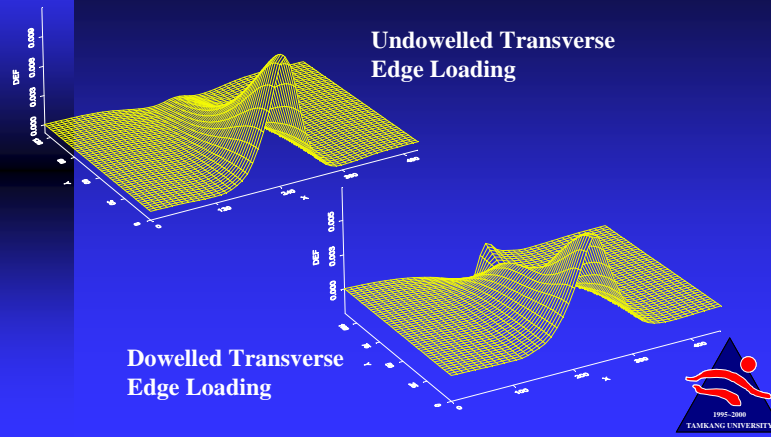


Parameter Study of Adjacent Slabs Effect

- Adjacent Slabs Model in ILLI-SLAB
 - Only Winkler Foundation Considered
 - Doweled & Undoweled: Corner Loading, Transverse & Longitudinal Edge Loading
- Dowel-Bar Stiffness Matrix Errors
 - Agree with Guo, et al. (1993, 1995)
 - Deflection at Loaded Side (δ_L) < Unloaded Side (δ_U)
- Pure Shear Load Transfer Used in This Study



Dowel-Bar Stiffness Matrix Errors



Development of Pavement Deflection Databases

- Finite Slab Size

$$R_{LW} = \frac{\delta_i}{\delta_w} = f\left(\frac{a}{l}, \frac{L}{l}, \frac{W}{l}\right) \quad R_{LW} = \frac{\delta_i}{\delta_{Losberg}} = f\left(\frac{a}{l_e}, \frac{L}{l_e}, \frac{W}{l_e}\right)$$

- Adjacent Slabs ← Factorial F. E. Runs

$$R_{LTE} = \frac{\delta_m}{\delta_s} = f(LTE_\delta)$$

- Thermal Curling

$$R_T = \frac{\delta_{T+P} - \delta_T}{\delta_w} = f\left(\frac{a}{l}, \frac{L}{l}, \frac{W}{l}, \alpha\Delta T, D_\gamma, D_p\right)$$

Adjustment of Adjacent Slabs Effect

- Load Transfer Efficiency (LTE_δ)
 - Backcalculate Joint Stiffness or AGG Factor (Infinite Slab)

$$LTE_\delta = \frac{\delta_U}{\delta_L} = \frac{1}{0.01 + 0.012 \left(\frac{AGG}{kl}\right)^{-0.849}}$$

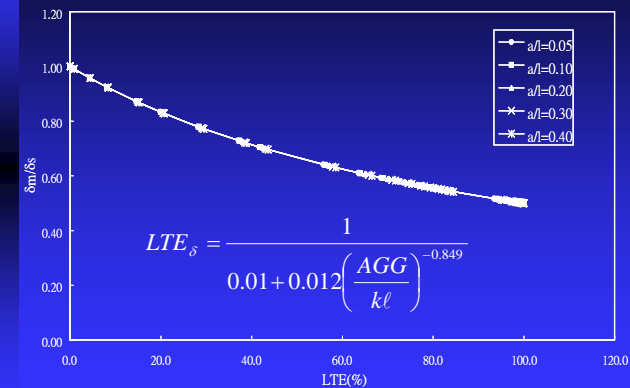
- Deflection Adjustment Factor (R_{LTE})

$$R_{LTE} = \frac{\delta_m}{\delta_s} = f(LTE_\delta)$$

$$R_{LTE} = 0.992127 - 0.008069961(LTE_\delta) + 0.00003178733(LTE_\delta)^2$$

- R_{LTE} is independent of a/l

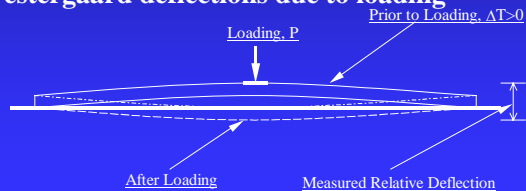
Relationship of R_{LTE} vs. LTE_δ



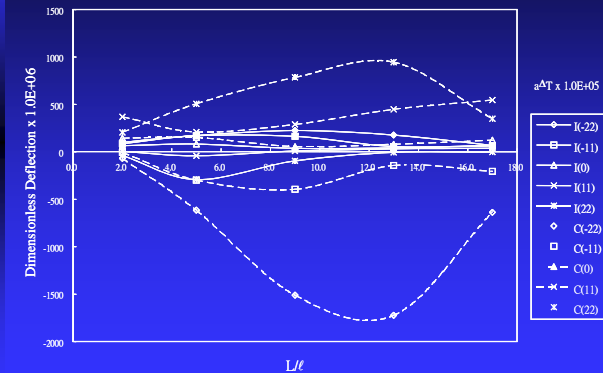
Thermal Curling: Relative Deflections

$$R_T = \frac{\delta_{T+P} - \delta_T}{\delta_w} = f\left(\frac{a}{\ell}, \frac{L}{\ell}, \frac{W}{\ell}, \alpha\Delta T, D_\gamma, D_P\right)$$

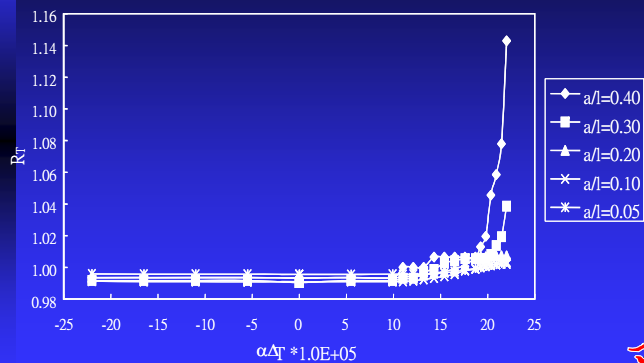
- δ_{T+P} = ILLI-SLAB deflections for loading plus curling
- δ_T = ILLI-SLAB deflections due to thermal curling
- δ_w = Westergaard deflections due to loading



Dimensionless Deflection Due to Loading and Curling



Relative Deflection Adjustment Factor Due to Loading and Curling

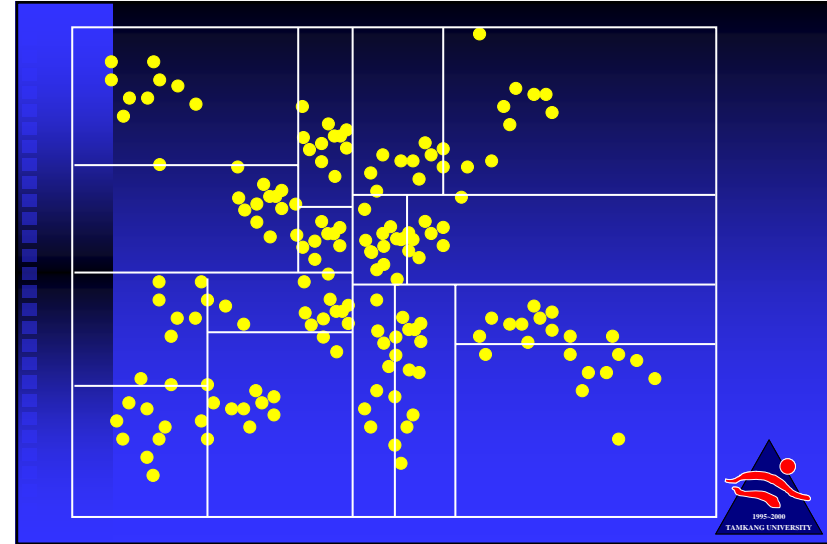
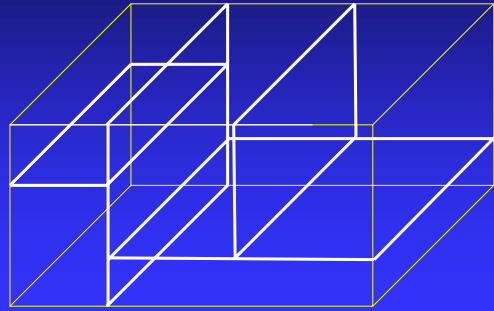


On-going Development of an Integrated Backcalculation Program

- Windows-based TKUBAK Program
 - Valid for a Single Slab and Loading Only
 - Prediction Models (Projection Pursuit Regression)
 - Closed-form Procedures: Closely Simulate ILLI-BACK Backcalculation Program
- Application of Locally-Weighted Regression (LOESS) Technique: S-PLUS Program
 - Cleveland & Devlin (1988), Cleveland & Grosse (1991)
 - Attempt to Increase the Prediction Accuracy



Illustration of Locally-Weighted Regression (LOESS) Technique



Conclusions and Recommendations

- Investigated the Effects of Adjacent Slabs & Thermal Curling on Rigid Pavement Deflections
- Debugged Some Syntax Errors in the F.E. Program
 - Workstation Version → PC Version
 - Elastic Foundation: L + C Analysis is Possible!
 - Verified Numerically and Graphically
- Identified Two Additional Dimensionless Variables (D_{γ_e} & D_{p_e}) due to L+C for Elastic Foundation
- Parameter Study of Adjacent Slab Effects



Conclusions and Recommendations

- Dowel-Bar Stiffness Matrix Errors
- Only Pure Shear Load Transfer Considered
- Deflection Databases & Adjustment Factors
 - Adjacent Slabs Effect
 - Deflection Adjustment Factor (R_{LTE}): $R_{LTE} = f(LTE_{\delta})$
 - R_{LTE} is independent of a/l
 - Loading & Curling Effects
 - Relative Deflection Adjustment Factor (R_r)
- On-going Development of an Integrated Back-calculation Program



THANKS FOR YOUR ATTENTION!

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